The problem of finding the next term of a given sequence of numbers is usually proposed in QI tests. We want to construct a method and a codification that allow us to know all the sequence from the first N terms.

Let $S = (S_i)_{i \in \mathbb{N}}$ denote a sequence of real numbers whose *i*-order term is S_i . We codify a constant sequence with the following operator:

$$S = [n]$$
 meaning that $S_i = n \quad \forall i \in \mathbb{N}$,

where $n \in \mathbb{Z}$. We also define the following operators on a given sequence of numbers $S = (S_i)_{i \in \mathbb{N}}$:

$$V = [m+S] \quad \text{meaning that} \quad V_i = \begin{cases} m &, i=1 \\ V_{i-1} + S_{i-1} &, i>1 \end{cases};$$

$$V = [m*S] \quad \text{meaning that} \quad V_i = \begin{cases} m*S_1 &, i=1 \\ V_{i-1}*S_i &, i>1 \end{cases};$$

where $m \in \mathbb{N}$. For example we have the following codifications:

$$[2+[1]] = 2, 3, 4, 5, 6 \cdots \\ [2*[1+[2+[1]]]] = 2, 6, 36, 360, 5400, 113400 \cdots \\ [2*[5+[-2]]] = 10, 30, 30, -30, 90, -450, 3150 \cdots$$

Given a sequence of N integer numbers and an integer M, the problem is to write the codification that generate the sequence and have at most M operators. We have that $2 \le N \le 51$ and $1 \le M \le 50$.

Input

The input file contains several test cases. For each of them, the program input is a single line containing M followed by the list of first terms of the sequence. The terms of the given sequence are positive (in the interval [1, 200000]) or negative integers (in the interval [-200000, -1]), and their number N can differ but it is always greater than M.

Output

For each test case, the program output is a single line containing the codification without any space. If there exists no solution with at most M operators, the output must be '[0]'.

Examples

Input	Output
2 2 3 4	[2+[1]]
3 1 3 6 10 15	[1+[2+[1]]]
4 2 6 36 360 5400 113400	[2*[1+[2+[1]]]]

Sample Input

3 10 30 30 -30 90 -450 3150 2 2 6 36 360 5400 113400

Sample Output

[2*[5+[-2]]] [0]