The eight-queens problem consists of finding (if it exists) a configuration for a set of eight queens on a chessboard, in such a way that no queen is under attack by any other. In other words, there must be a single queen in each row and column of the board, and at most one queen in each diagonal line. The $N$-queens problem is the obvious generalization of this problem to an $N \times N$ board. Consider for instance the following two configurations; the first is a solution to the 5 -queens problem and the second is not:


Your task is to write a program that, for a given $N$, determines whether a configuration is a solution to the $N$-queens problem. If not, the program will then check if a solution can be obtained by moving a single queen (in any of the eight possible directions). To simplify, consider that queens can move over each other, i.e, a queen can be moved to any empty position in the same row, column, or diagonal line where it stands.

## Input

The input consists of several test cases, each of which has:

- a line containing the dimension $N$ of the problem (a positive integer number not greater than 30), followed by
- $N$ lines, each consisting of $N$ characters followed by newline. Characters can only be ' 0 ' (zero, corresponding to an empty position) or (capital) ' X ', corresponding to a queen. Each line corresponds to a row in the board.
- will contain exactly $N$ occurrences of the character ' X '.


## Output

The output for each test case will consist of one of the following:

- a single line containing the word 'YES' (if the configuration is a solution to the $N$-queens problem)
- otherwise, a line containing the word ' NO ', followed by a line containing either:
- the word ' NO ', if no solution can be obtained by moving one queen; or
- the word 'YES' followed by $N$ lines corresponding to the description of the solution discovered, in the same format as in the input.

Print a blank line between test cases.

## Sample Input

5
$00 \times 00$
X0000
000x0
0x000
0000X
5
$0 \times 000$
x0000
000x0
$0 \times 000$
0000X

## Sample Output

YES

NO
YES
$00 \times 00$
X0000
000x0
$0 \times 000$
0000X

