The 15-puzzle has been around for over 100 years; even if you don't know it by that name, you've seen it. It is constructed with 15 sliding tiles, each with a number from 1 to 15 on it, and all packed into a 4 by 4 frame with one tile missing. Let's call the missing tile ' $x$ '; the object of the puzzle is to arrange the tiles so that they are ordered as:

| 1 | 2 | 3 | 4 |
| ---: | ---: | ---: | ---: |
| 5 | 6 | 7 | 8 |
| 9 | 10 | 11 | 12 |
| 13 | 14 | 15 | $x$ |

where the only legal operation is to exchange ' $x$ ' with one of the tiles with which it shares an edge. As an example, the following sequence of moves solves a slightly scrambled puzzle:

| 1 | 2 | 3 | 4 | 1 | 2 | 3 | 4 | 1 | 2 | 3 | 4 | 1 | 2 | 3 | 4 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 5 | 6 | 7 | 8 | 5 | 6 | 7 | 8 | 5 | 6 | 7 | 8 | 5 | 6 | 7 | 8 |
| 9 | x | 10 | 12 | 9 | 10 | x | 12 | 9 | 10 | 11 | 12 | 9 | 10 | 11 | 12 |
| 13 | 14 | 11 | 15 | 13 | 14 | 11 | 15 | 13 | 14 | x | 15 | 13 | 14 | 15 | x |
| r-> |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |

The letters in the previous row indicate which neighbor of the ' $x$ ' tile is swapped with the ' $x$ ' tile at each step; legal values are ' $r$ ', $I$ ',' $u$ ' and ' $d$ ', for right, left, up, and down, respectively.

Not all puzzles can be solved; in 1870, a man named Sam Loyd was famous for distributing an unsolvable version of the puzzle, and frustrating many people. In fact, all you have to do to make a regular puzzle into an unsolvable one is to swap two tiles (not counting the missing ' $x$ ' tile, of course).

In this problem, you will write a program for solving the less well-known 8-puzzle, composed of tiles on a three by three arrangement.

## Input

The first line of the input is an integer $N$, then a blank line followed by $N$ datasets. There is a blank line between datasets.

In each dataset, you will receive a description of a configuration of the 8 puzzle. The description is just a list of the tiles in their initial positions, with the rows listed from top to bottom, and the tiles listed from left to right within a row, where the tiles are represented by numbers ' 1 ' to ' 8 ', plus ' $x$ '.

For example, this puzzle
123
$\times 46$
758
is described by this list:
$123 \times 46758$

## Output

For each dataset, you will print to standard output either the word 'unsolvable', if the puzzle has no solution, or a string consisting entirely of the letters ' $r$ ', ' $I$ ', ' $u$ ' and ' $d$ ' that describes a series of moves that produce a solution. The string should include no spaces and start at the beginning of the line.

Print a blank line between datasets.

## Sample Input

1
$23415 \times 768$

## Sample Output

ullddrurdllurdruldr

