When a number is expressed in decimal, the $k$-th digit represents a multiple of $10^{k}$. (Digits are numbered from right to left, where the least significant digit is number 0.) For example,
$81307_{10}=8 \times 10^{4}+1 \times 10^{3}+3 \times 10^{2}+0 \times 10^{1}+7 \times 100=80000+1000+300+0+7=81307$.
When a number is expressed in binary, the $k$-th digit represents a multiple of $2^{k}$. For example,

$$
10011_{2}=1 \times 2^{4}+0 \times 2^{3}+0 \times 2^{2}+1 \times 2^{1}+1 \times 2^{0}=16+0+0+2+1=19 .
$$

In skew binary, the $k$-th digit represents a multiple of $2^{k+1}-1$. The only possible digits are 0 and 1 , except that the least-significant nonzero digit can be a 2 . For example,
$10120_{\text {skew }}=1 \times\left(2^{5}-1\right)+0 \times\left(2^{4}-1\right)+1 \times\left(2^{3}-1\right)+2 \times\left(2^{2}-1\right)+0 \times\left(2^{1}-1\right)=31+0+7+6+0=44$.
The first 10 numbers in skew binary are $0,1,2,10,11,12,20,100,101$, and 102. (Skew binary is useful in some applications because it is possible to add 1 with at most one carry. However, this has nothing to do with the current problem.)

## Input

The input file contains one or more lines, each of which contains an integer $n$. If $n=0$ it signals the end of the input, and otherwise $n$ is a nonnegative integer in skew binary.

## Output

For each number, output the decimal equivalent. The decimal value of $n$ will be at most $2^{31}-1=$ 2147483647.

## Sample Input

10120
200000000000000000000000000000
10
1000000000000000000000000000000
11
100
11111000001110000101101102000
0

## Sample Output

44
2147483646
3
2147483647

