In a multi-storied building, there are some families who know each other very well. They like to have a lot of fun, so they often want to get together in one of those apartments to have a party. To understand the uniqueness of this group, let us consider a co-ordinate system where ( $x, y, z$ ) denotes the co-ordinate of an apartment. Here, $z$ axis denotes the floor of the apartment and $(x, y)$ co-ordinates form the plane parallel to the land.

Now there is an interesting fact: there are no two families in their group such that their apartments have the same $(x, y)$ co-ordinate. Moreover, for every possible value of $(x, y)$, the there exists exactly one apartment in which one of these families live. Therefore, we can represent the floor of each of their apartments in a table as the following figure:

Here, you can consider the rows of the table parallel to $x$-axis and columns of the tables parallel to $y$-axis of the building. So, if the cell of 1st row and 1st column denotes 6 , that means one of their friends live in the apartment on 6th floor of the building with co-ordinate $(1,1)$.

| 6 | 10 | 3 | 1 |
| :--- | :--- | :--- | :--- |
| 5 | 4 | 2 | 5 |
| 1 | 7 | 4 | 15 |

It is not always possible for each family to be present in every party, but whenever a subset of these families gets together for a party, they have to satisfy the following properties:

- This subset is formed by a rectangle (axis-parallel) drawn on the table.
- The party will be held in one of the apartments of this subset (Obviously).
- The summation of floors they need to go up or down must be minimized. If there are multiple floors which satisfy this requirement, they will always choose the higher floor.
- After selecting the apartment, if it is on a floor lower than $h$, the party will be cancelled.

For example, say the families marked in grey (in the table shown above) want to hold a party and $h=3$. Both 4 th and 5 th floor has the same summation of floors they need to go up or down $(2+1+$ $11=14$ for 4 th floor and $3+1+10=14$ for 5 th floor). As they always prefer the higher floor, it will be held on the 5th floor. As it is not lower than 3rd floor $(h=3)$, it also satisfies the last requirement.

You need to write a program to determine the the largest number of families who can get together for a party satisfying all those requirements.

## Input

The first line will contain the number of test cases, $T(1 \leq T \leq 20)$.
Each test case starts with a line containing two integers, $R(1 \leq R \leq 250)$ and $C(1 \leq C \leq 250)$ denoting the number of rows and columns in the table, respectively. Then $R$ lines follow, each containing $C$ integers denoting the floors of corresponding apartments. Then there will be a line containing a single integer, $Q(1 \leq Q \leq 10)$ which denotes the number of queries to follow. Then the following line contains $Q$ integers, where each one denotes the value of $h$. All integers in the input file will be positive and in the range of 32-bit signed integer.

## Output

For each case, print a line containing 'Case $\langle x\rangle$ :' where $x$ is the case number. Then the following $Q$ lines should contain one integer: the largest number of families who can get together for the corresponding value of $h$.

## Sample Input

1
34
61031
5425
17415
2
65

## Sample Output

## Case 1:

6

