Wherever there is large-scale construction, you will find cranes that do the lifting. One hardly ever thinks about what marvelous examples of engineering cranes are: a structure of (relatively) little weight that can lift much heavier loads. But even the best-built cranes may have a limit on how much weight they can lift.

The Association of Crane Manufacturers (ACM) needs a program to compute the range of weights that a crane can lift. Since cranes are symmetric, ACM engineers have decided to consider only a cross section of each crane, which can be viewed as a polygon resting on the *x*-axis.



Figure C.1: Crane cross section

Figure C.1 shows a cross section of the crane in the first sample input. Assume that every 1×1 unit of crane cross section weighs 1 kilogram and that the weight to be lifted will be attached at one of the polygon vertices (indicated by the arrow in Figure C.1). Write a program that determines the weight range for which the crane will not topple to the left or to the right.

Input

The input file contains several test cases, each of them as described below.

The test case starts with a single integer n ($3 \le n \le 100$), the number of points of the polygon used to describe the crane's shape. The following n pairs of integers x_i , y_i ($-2000 \le x_i \le 2000$, $0 \le y_i \le 2000$) are the coordinates of the polygon points in order. The weight is attached at the first polygon point and at least two polygon points are lying on the x-axis.

Output

For each test case, the output must follow the description below, on a line by itself.

Display the weight range (in kilograms) that can be attached to the crane without the crane toppling over. If the range is [a, b], display $\lfloor a \rfloor$... $\lceil b \rceil$ '. For example, if the range is [1.5, 13.3], display '1 ... 14'. If the range is $[a, \infty)$, display ' $\lfloor a \rfloor$... inf'. If the crane cannot carry any weight, display 'unstable' instead.

Sample Input

Sample Output

0 .. 1017 unstable