In a graph $G$, contraction of an edge $e$ with endpoints $u, v$ is the replacement of $u$ and $v$ with a single vertex such that edges incident to the new vertex are the edges other than $e$ that were incident with $u$ or $v$. The resulting graph has one less edge than $G$. A graph $H$ is a minor of a graph $G$ if a copy of $H$ can be obtained from $G$ via repeated edge deletion, edge contraction and isolated node deletion.

Minors play an important role in graph theory. For example, every non-planar graph contains either the graph $\mathbf{K}_{3,3}$ (i.e., the complete bipartite graph on two sets of three vertices) or the complete graph $\mathbf{K}_{5}$ as a graph minor.

Write a program to find a graph minor $\mathbf{K}_{n, m}$ or $\mathbf{K}_{n}$ in an undirected connected simple graph.

## Input

The input consists of several test cases. The first line of each case contains an integers $V(3 \leq V \leq 12)$, the number of vertices in the graph, followed by a string in format ' $\mathrm{K} n$ ' or ' $\mathrm{K} n, m$ ' $(1 \leq n, m \leq V)$, the graph minor you're finding. The following $V$ lines contain the adjacency matrix of the graph ('1' means directly connected, 0 ' means not directly connected).

The diagonal elements of the matrix will always be ' 0 ', and the element in row $i$ column $j$ is always equal to the element in row $j$ column $i$. The last test case is followed by a single zero, which should not be processed.

## Output

For each test case, print the case number and the string 'Found' or 'Not found'.

## Sample Input

5 K2,2
$\begin{array}{lllll}0 & 1 & 1 & 1\end{array}$
10000
10000
10000
10000
4 K3
0101
1010
0101
1010
4 K2,2
0101
1011
0101
1110
$5 \mathrm{~K} 2,2$
01001
10001
00011
00101
11110
5 K4
01011
10110
01011
11101
10110
0

## Sample Output

Case 1: Not found
Case 2: Found
Case 3: Found
Case 4: Not found
Case 5: Found

