

Consider a binary operation \odot defined on digits 0 to 9,

$$\odot: \{0, 1, \dots, 9\} \times \{0, 1, \dots, 9\} \rightarrow \{0, 1, \dots, 9\}$$

such that $0 \odot 0 = 0$.

A binary operation \otimes is a generalization of \odot to the set of non-negative integers,

$$\otimes: \mathbb{Z}_{0+} \times \mathbb{Z}_{0+} \rightarrow \mathbb{Z}_{0+}$$

The result of $a \otimes b$ is defined in the following way: if one of the numbers a and b has fewer digits than the other in decimal notation, then append leading zeroes to it, so that the numbers are of the same length; then apply the operation digit-wise to the corresponding digits of a and b .

$$\begin{array}{r} \otimes \begin{array}{r} 5566 \\ 239 \\ \hline \end{array} \longrightarrow \otimes \begin{array}{r} 5566 \\ 0239 \\ \hline \end{array} \longrightarrow \begin{array}{cccc} \odot & \odot & \odot & \odot \\ 5 & 5 & 6 & 6 \\ \hline 0 & 2 & 3 & 9 \\ \hline 0 & 0 & 8 & 4 \end{array} \longrightarrow \otimes \begin{array}{r} 5566 \\ 0239 \\ \hline \end{array} \longrightarrow \otimes \begin{array}{r} 5566 \\ 239 \\ \hline \end{array} \end{array}$$

Example. If $a \odot b = ab \bmod 10$, then $5566 \otimes 239 = 84$.

Let us define \otimes to be left-associative, that is, $a \otimes b \otimes c$ is to be interpreted as $(a \otimes b) \otimes c$. Given a binary operation \odot and two non-negative integers a and b , calculate the value of

$$a \otimes (a + 1) \otimes (a + 2) \otimes \dots \otimes (b - 1) \otimes b$$

Input

The input file contains several test cases, each of them as described below.

The first ten lines of the input file contain the description of the binary operation \odot . The i -th line of the input file contains a space-separated list of ten digits — the j -th digit in this list is equal to $(i - 1) \odot (j - 1)$.

The first digit in the first line is always 0.

The eleventh line of the input file contains two non-negative integers a and b ($0 \leq a \leq b \leq 10^{18}$).

Output

For each test case, output on a line by itself a single number — the value of $a \otimes (a + 1) \otimes (a + 2) \otimes \dots \otimes (b - 1) \otimes b$ without extra leading zeroes.

Sample Input

```
0 1 2 3 4 5 6 7 8 9
1 2 3 4 5 6 7 8 9 0
2 3 4 5 6 7 8 9 0 1
3 4 5 6 7 8 9 0 1 2
4 5 6 7 8 9 0 1 2 3
5 6 7 8 9 0 1 2 3 4
6 7 8 9 0 1 2 3 4 5
7 8 9 0 1 2 3 4 5 6
8 9 0 1 2 3 4 5 6 7
9 0 1 2 3 4 5 6 7 8
0 10
```

Sample Output