

## 1690 Find a Minor

In a graph  $G$ , *contraction* of an edge  $e$  with endpoints  $u, v$  is the replacement of  $u$  and  $v$  with a single vertex such that edges incident to the new vertex are the edges other than  $e$  that were incident with  $u$  or  $v$ . The resulting graph has one less edge than  $G$ . A graph  $H$  is a *minor* of a graph  $G$  if a copy of  $H$  can be obtained from  $G$  via repeated edge deletion, edge contraction and isolated node deletion.

Minors play an important role in graph theory. For example, every non-planar graph contains either the graph  $K_{3,3}$  (i.e., the complete bipartite graph on two sets of three vertices) or the complete graph  $K_5$  as a graph minor.

Write a program to find a graph minor  $K_{n,m}$  or  $K_n$  in an *undirected connected simple graph*.

### Input

The input consists of several test cases. The first line of each case contains an integers  $V$  ( $3 \leq V \leq 12$ ), the number of vertices in the graph, followed by a string in format ' $Kn$ ' or ' $Kn,m$ ' ( $1 \leq n, m \leq V$ ), the graph minor you're finding. The following  $V$  lines contain the adjacency matrix of the graph ('1' means directly connected, 0' means not directly connected).

The diagonal elements of the matrix will always be '0', and the element in row  $i$  column  $j$  is always equal to the element in row  $j$  column  $i$ . The last test case is followed by a single zero, which should not be processed.

### Output

For each test case, print the case number and the string 'Found' or 'Not found'.

### Sample Input

```
5 K2,2
0 1 1 1 1
1 0 0 0 0
1 0 0 0 0
1 0 0 0 0
1 0 0 0 0
4 K3
0 1 0 1
1 0 1 0
0 1 0 1
1 0 1 0
4 K2,2
0 1 0 1
1 0 1 1
0 1 0 1
1 1 1 0
5 K2,2
0 1 0 0 1
1 0 0 0 1
0 0 0 1 1
0 0 1 0 1
```

```
1 1 1 1 0
5 K4
0 1 0 1 1
1 0 1 1 0
0 1 0 1 1
1 1 1 0 1
1 0 1 1 0
0
```

### Sample Output

```
Case 1: Not found
Case 2: Found
Case 3: Found
Case 4: Not found
Case 5: Found
```