Little John is playing very funny game with his younger brother. There is one big box filled with M\&Ms of different colors. At first John has to eat several M\&Ms of the same color. Then his opponent has to make a turn. And so on. Please note that each player has to eat at least one M\&M during his turn. If John (or his brother) will eat the last M\&M from the box he will be considered as a looser and he will have to buy a new candy box.

Both of players are using optimal game strategy. John starts first always. You will be given information about $\mathrm{M} \& \mathrm{Ms}$ and your task is to determine a winner of such a beautiful game.

## Input

The first line of input will contain a single integer $T(1 \leq T \leq 474)$ - the number of test cases. Next $T$ pairs of lines will describe tests in a following format. The first line of each test will contain an integer $N(1 \leq N \leq 47)$ - the amount of different M\&M colors in a box. Next line will contain $N$ integers $A_{i}$ $\left(1 \leq A_{i} \leq 4747\right)$, separated by spaces - amount of M\&Ms of $i$-th color.

## Output

Output $T$ lines each of them containing information about game winner. Print 'John' if John will win the game or 'Brother' in other case.

## Sample Input

## 2

3
351
1
1

## Sample Output

John
Brother

