Once upon a time the following puzzle was suggested to pupils on a regional middle school olympiad on mathematics:

- A set of coins consists of 15 coins: 14 coins are valid while a remaining 15 -th coin is a false one. All valid coins have one and the same weight while the false coin has a different weight. One valid coin is marked. Is it possible to identify a false coin balancing coins 3 times at most?

A jury member was a trainer of a team of undergraduates for programming contests. So a question on how to put the puzzle for programming arose naturally. Fin ally the problem was formulated as follows:

- A set of coins consists of $N$ coins: $(N-1)$ coins are valid while a remaining $N$-th coin is a false one. All valid coins have one and the same weight while the false coin has a different weight. One valid coin is marked. Write a program which for every input pair
- a number $N$ of coins under question,
- a limit $K$ of balancing
outputs either 'POSSIBLE' or 'IMPOSSIBLE' with respect to existence of a strategy to identify the false coin balancing coins $K$ times at most.


## Input

The first line of input contains a single integer $T$ that represents a total amount of different pairs ( $N, K$ ) to process. Every line of next $T$ lines contains two integers $N, 2 \leq N \leq 100$ and $K, 0 \leq K \leq 100$.

## Output

The output file should contain $T$ lines with 'POSSIBLE' or 'IMPOSSIBLE' per line.

## Sample Input

3
62
102
153

## Sample Output

POSSIBLE
IMPOSSIBLE
POSSIBLE

