Mr. Kim is planning to open a new restaurant. His city is laid out as a grid with size $M \times M$. Therefore, every road is horizontal or vertical and the horizontal roads (resp., the vertical roads) are numbered from 0 to $M-1$. For profitability, all restaurants are located near road junctions. The city has two big apartments which are located on the same horizontal road. The figure below shows an example of a city map with size $11 \times 11$. A circle represents an existing restaurant and a circle labeled with ' A ' or ' B ' represents the location of an apartment. Notice that a restaurant is already located at each apartment. Each road junction is represented by the coordinate of the ordered pair of a vertical
 road and a horizontal road. The distance between two locations ( $x_{1}, y_{1}$ ) and ( $x_{2}, y_{2}$ ) is computed as $\left|x_{1}-x_{2}\right|+\left|y_{1}-y_{2}\right|$. In the figure below, the coordinates of A and B are $(0,5)$ and $(10,5)$, respectively.

Mr. Kim knows that the residents of the two apartments frequently have a meeting. So, he thinks that the best location of a new restaurant is halfway between two apartments. Considering lease expenses and existing restaurants, however, he can't select the optimal location unconditionally. Hence he decides to regard a location satisfying the following condition as a $\operatorname{good} \operatorname{place}$. Let $\operatorname{dist}(p, q)$ be the distance between $p$ and $q$.

> A location $p$ is a $\operatorname{good} p l a c e$ if for each existing restaurant's location $q, \operatorname{dist}(p, A)<\operatorname{dist}(q, A)$ or $\operatorname{dist}(p, B)<\operatorname{dist}(q, B)$. In other words, $p$ is not a good place if there exists an existing restaurant's location $q$ such that $\operatorname{dist}(p, A) \geq \operatorname{dist}(q, A)$ and $\operatorname{dist}(p, B) \geq \operatorname{dist}(q, B)$.

In the above figure, the location $(7,4)$ is a good place. But the location $p=(4,6)$ is not good because there is no apartment which is closer to $p$ than the restaurant at $q=(3,5)$, i.e., $\operatorname{dist}(p, A)=$ $5 \geq \operatorname{dist}(q, A)=3$ and $\operatorname{dist}(p, B)=7 \geq \operatorname{dist}(q, B)=7$. Also, the location $(0,0)$ is not good due to the restaurant at $(0,5)$. Notice that the existing restaurants are positioned regardless of Mr. Kim's condition.

Given $n$ locations of existing restaurants, write a program to compute the number of good places for a new restaurant.

## Input

Your program is to read the input from standard input. The input consists of $T$ test cases. The number of test cases $T$ is given in the first line of the input. Each test case starts with a line containing two integers $M$ and $n(2 \leq M \leq 60,000$ and $2 \leq n \leq 50,000)$, which represent the size of a city map and the number of existing restaurants, respectively. The $(i+1)$-th line of a test case contains two integers $x_{i}$ and $y_{i}\left(i=1,2, \ldots, n\right.$ and $\left.0 \leq x_{i}, y_{i}<M\right)$, which represents the coordinate of the $i$-th existing restaurant. Assume that all restaurants have distinct coordinates and that the two apartments A and B are positioned at the locations of 1-st restaurant and 2-nd restaurant. Notice that A and B are placed on the same horizontal line.

## Output

Your program is to write to standard output. Print exactly one line for each test case. Print the number of good places which can be found in a given city map.

The following shows sample input and output for two test cases.

## Sample Input

## Sample Output

