We are given N line segments on the 2D plane. We want to find the maximum radius of an empty circle whose center coordinates (x_c, y_c) are constrained as follows:

- $0 \leq x_c \leq L$
- $y_c = 0$

A circle is empty if no part of a segment is located strictly inside of it (thus, a segment may touch the circle, but may not intersect with the interior of the circle).

Input

The first line of the input file contains the number of test cases T. The test cases are described next. The first line of a test case contains the integer numbers N and L ($1 \leq N \leq 2000$ and $0 \leq L \leq 10000$). The next N lines of the test case contain 4 integers each, describing the coordinates of the endpoints of a segment: x_a, y_a, x_b and y_b. The coordinates of the endpoints of the segment are (x_a, y_a) and (x_b, y_b). All the coordinates are between -20000 and +20000. Every two consecutive numbers on the same line are separated by a single blank.

Output

For each test case print a line containing a real number R, denoting the maximum radius of an empty circle whose center obeys the constraints. The number must be printed with 3 decimal digits (the number must be rounded up or down according to the usual rounding rules).

Note: The picture on the right corresponds to the sample input below.

Sample Input

```
1
4 10
1 1 10 3
5 3 9 1
3 1 4 1
8 3 11 -3
```

Sample Output

```
2.118
```