The army of United Nations launched a new wave of air strikes on terrorist forces. The objective of the mission is to reduce enemy's logistical mobility. Each air strike will destroy a path and therefore increase the shipping cost of the shortest path between two enemy locations. The maximal damage is always desirable.

Let's assume that there are $n$ enemy locations connected by $m$ bidirectional paths, each with specific shipping cost. Enemy's total shipping cost is given as

$$
c=\sum_{i=1}^{n} \sum_{j=1}^{n} p a t h(i, j)
$$

Here path $(i, j)$ is the shortest path between locations $i$ and $j$. In case $i$ and $j$ are not connected, $\operatorname{path}(i, j)=L$. Each air strike can only destroy one path. The total shipping cost after the strike is noted as $c^{\prime}$. In order to maximized the damage to the enemy, UN's air force try to find the maximal $c^{\prime}-c$.

## Input

The first line of each input case consists of three integers: $n$, $m$, and $L .1<n \leq 100,1 \leq m \leq 1000$, $1 \leq L \leq 10^{8}$. Each of the following $m$ lines contains three integers: $a, b, s$, indicating length of the path between $a$ and $b$.

## Output

For each case, output the total shipping cost before the air strike and the maximal total shipping cost after the strike. Output them in one line separated by a space.

## Sample Input

$4 \quad 61000$
132
144
213
233
341
422

## Sample Output

