The whole world has become worried about the rapid spread of a virus. Scientists need to understand the folding of RNA of that virus so that they can have more information about its structure.

The basic RNA-folding problem is defined by a string $S$ of length $n$ over the four-letter alphabet $\{\mathrm{A}, \mathrm{U}, \mathrm{C}, \mathrm{G}\}$, and an integer $d$ (distance parameter). Each letter in this alphabet represents an RNA nucleotide. Nucleotides A and U are called complimentary as are the nucleotides C and G. A matching consists of a set $M$ of disjoint pairs of positions of $S$, i.e. in a set $M$ no position $i$ can be paired with two different positions $j$ and $j^{\prime}$. If pair $(i, j)$ is in $M$, then the nucleotide at $i$-th position is said to match the nucleotide at position $j$. A match is a permitted match if the nucleotides at sites $i$ and $j$ are complimentary, $i<j$ and $|i-j|>d$. A matching $M$ is non-crossing if and only if it does not contain any four sites $i<i^{\prime}<j<j^{\prime}$ where $(i, j)$ and $\left(i^{\prime}, j^{\prime}\right)$ are matches in $M$. Finally, a permitted matching $M$ is a matching that is non-crossing, where each match in $M$ is a permitted match. The basic RNA-folding problem is to find a permitted matching of maximum cardinality.

In this problem, you need to find the maximum cardinality of a permitted matching and the number of different sets $M$ of that maximum cardinality. A set $M$ is different from another set $M^{\prime}$ if there exists at least one pair $(i, j)$ in $M$ and $\left(i^{\prime}, j^{\prime}\right)$ in $M^{\prime}$ such that either $i$ and $i^{\prime}$ or $j$ and $j^{\prime}$ are different.

## Input

The first line of input file contains the number of test cases, $T(1 \leq T \leq 80)$. Then T cases follow:
Each case consists of two lines. The first line contains one integer: $d(0 \leq d \leq|S|)$. Then the second line contains the string $S(1 \leq|S| \leq 250)$. It will contain only the uppercase characters $\{\mathrm{A}, \mathrm{U}, \mathrm{C}, \mathrm{G}\}$.

## Output

For each case, print 'Case $x: y z^{\prime}$ in a separate line, where $x$ is the case number, $y$ is the maximum cardinality and $z$ is the number of sets with maximum cardinality. As the value of $z$ can be very large, print $z$ modulo 10007.

## Explanation of Sample cases:

For 1st case, there is no pair of positions which satisfies the conditions of permitted match, i.e. empty set is the only possible answer.

For 2 nd case, the matches are shown below where the first position of a pair is denoted by ' (' and the other position is denoted by ')':

GGACCUUUUGGGACGC
((. ( (....)).).)

This is the only possible set with 4 permitted matches: $\{(1,15),(2,13),(4,11),(5,10)\}$.

## Sample Input

2
1
AUA
4
GGACCUUUUGGGACGC

## Sample Output

Case 1: 01
Case 2: 41

