In recent weeks, geek tabloids have hit the newsstands around the world with a truly remarkable breakthrough in science: a group of researchers from Chinese universities have written a paper about the role of psychology in winning (or losing) at rock-paper-scissors (RPS). After studying how players change or keep their strategies during multiple-round sessions, the scientists figured out a basic rule that people tend to play by that could potentially be exploited. This rule is called the win-stay and lose-shift strategy.

An RPS session is a finite sequence of rounds played between two opponents. In each round, players simultaneously form one of three shapes with an outstretched hand: rock ( R ), paper ( P ), and scissors (S). Rock beats scissors, scissors beat paper, and paper beats rock; if both players throw the same shape, the round is tied. The outcome of a round for a player is 1 point if he/she wins, -1 point if he/she loses, and 0 points if it is a tie. The outcome of a session for a player is the sum over the outcome points of his/her rounds. For example, assume that $a$ and $b$ are playing a session of three rounds. In the first round $a$ plays scissors and $b$ plays paper; in the second round $a$ plays paper and $b$ plays paper; and, in the last round $a$ plays rock and $b$ plays rock. Then, the outcome of the first round for $a$ is 1 point (for $b$ is -1 point), and the outcomes of the second and third rounds for $a$ is 0 points (for $b$ is also 0 points). Consequently, the outcome of this session for $a$ is 1 point and for $b$ is -1 point.

During an RPS session, the win-stay and lose-shift strategy for a player $p$ is as follows:

- If it is the first round or if it was a tie in the previous round, for the current round $p$ makes a guess.
- If $p$ lost in the previous round, for the current round $p$ switches to the thing that beats $p$ 's opponent previous choice.
- If $p$ won in the previous round, for the current round $p$ switches to the thing that beats $p$ 's previous choice.

For example, assume that $a$ and $b$ are playing a session of three rounds, and $a$ is playing under the win-stay and lose-shift strategy and that $b$ plays as above. Initially $a$ guesses R and loses ( P beats R ). In the second round $a$ switches to $S$ because it beats $b$ 's previous winning choice (i.e., $P$ ) and wins (S beats P ). In the third round $a$ switches to R because it beats $a$ 's previous choice (i.e., S ) and ties ( $b$ also plays R). In this session the outcome for $a$ is 0 points. However, this is not the only possible outcome for $a$ under the win-stay and lose-shift strategy.

Given a session of $n$ rounds for players $a$ and $b$, and the probabilities of $a$ guessing $\mathrm{R}, \mathrm{P}$, and S during the session, you are asked to write a program that decides if $a$ 's expected session outcome when playing under the win-stay and lose-shift strategy against $b$ is better than $a$ 's actual session outcome.

## Input

The first line of the input contains a non-negative integer number $N(N \geq 0)$ indicating the number of test cases. Then $N$ test cases follow, each consisting of three lines of input. The first and second lines of a test case contain, respectively, strings $a$ and $b$ only containing characters R, P , and $\mathrm{S}\left(1 \leq|a| \leq 10^{4}\right.$, $1 \leq|b| \leq 10^{4}$, with $\left.|a|=|b|\right)$ defining an RPS session of $|a|$ rounds played between players $a$ and $b$. The third line of a test case contains three blank-separated integer numbers $p_{R}, p_{P}$, and $p_{S}\left(0 \leq p_{R} \leq 100\right.$, $0 \leq p_{P} \leq 100,0 \leq p_{S} \leq 100$, with $p_{R}+p_{P}+p_{S}=100$ ) indicating, respectively, the probability (amplified by 100) of $a$ guessing rock, scissors, and paper.

## Output

For each test case output a single line containing three blank-separated quantities of the form
$x y z$
where

- $x$ is an integer indicating $a$ 's actual session outcome against $b$,
- $y$ is a floating point number indicating $a$ 's expected session outcome when playing against $b$ with probabilities $p_{R}, p_{P}$, and $p_{S}$ under the win-stay and lose-shift strategy (rounded up to exactly 4 decimal places, with no leading zeroes but at least one digit before the decimal point), and
- $z$ is the character ' Y ' if $y$ is strictly greater than $x$, and ' N ', otherwise.


## Sample Input

4
SPR
PPR
58015
RRR
PPR
58015
S
S
3433
S
S

## Sample Output

### 10.3060 N

-2 0.3060 Y
$0-0.0100 \mathrm{~N}$
00.0100 Y

