Finally, desperate Bilbo asked Gollum the following programming puzzle. Help the poor creature with his dinner!

 $A = \{A[1], A[2], \dots, A[N]\}$  is a sequence of lowercase letters.

 $B = \{B[1], B[2], \dots, B[K]\}$  is another such sequence. B is called a subsequence of A if there exists a set of integers  $S = \{S[1], S[2], \dots, S[K]\}$  such that the following two conditions are true:

- (i)  $1 \le S[1] < S[2] < \ldots < S[K] \le N$
- (ii) A[S[i]] = B[i] for all  $1 \le i \le K$

Here, S is called an occurrence of B in A. S is called the earliest occurrence of B in A, if there is no other occurrence Y such that, Y[j] < S[j] for some  $1 \le j \le K$ .

The earliest occurrence S of B in A is called a weak occurrence if,  $S[i+1]S[i] \le M$  for all  $1 \le i < K$ . Here, M is called the weakness limit.

For example, if M = 2 then {b, c, d} has a weak occurrence in {a, b, y, c, d, c, d}, but {a, c, d} doesn't.

You are given a forbidden sequence F of lowercase letters and a weakness limit M. A sequence X of length N is called strong if one of the following conditions is true:

- (i) the earliest occurrence of F in X is not a weak occurrence or
- (ii) F doesn't occur in X at all.

Write a program to calculate the number of strong sequences of lowercase letters of length N. Print the answer *modulo* 1000000007.

## Input

The first line of the input contains T, the number of test cases.  $T \leq 5000$ . Each test case consists of two lines. The first line contains a non-empty string of lowercase letters that denotes the forbidden sequence F which contains no more than 100 characters. The next line contains two positive integers M ( $1 \leq M \leq 10$ ) and N ( $1 \leq N \leq 10^9$ ), where M denotes the weakness limit and N denotes the desired length of the strong sequences.

## Output

For each set of input, print the output in the format, 'Case X: Y' where X is the serial of the input and Y is the desired output (see the sample output for clarification).

## Sample Input

## Sample Output

Case 1: 453750 Case 2: 675