Finally, desperate Bilbo asked Gollum the following programming puzzle. Help the poor creature with his dinner!
$A=\{A[1], A[2], \ldots, A[N]\}$ is a sequence of lowercase letters.
$B=\{B[1], B[2], \ldots, B[K]\}$ is another such sequence. $B$ is called a subsequence of $A$ if there exists a set of integers $S=\{S[1], S[2], \ldots, S[K]\}$ such that the following two conditions are true:
(i) $1 \leq S[1]<S[2]<\ldots<S[K] \leq N$
(ii) $A[S[i]]=B[i]$ for all $1 \leq i \leq K$

Here, $S$ is called an occurrence of $B$ in $A . S$ is called the earliest occurrence of $B$ in $A$, if there is no other occurrence $Y$ such that, $Y[j]<S[j]$ for some $1 \leq j \leq K$.

The earliest occurrence $S$ of $B$ in $A$ is called a weak occurrence if, $S[i+1] S[i] \leq M$ for all $1 \leq i<K$. Here, $M$ is called the weakness limit.

For example, if $M=2$ then $\{b, c, d\}$ has a weak occurrence in $\{\mathrm{a}, \mathrm{b}, \mathrm{y}, \mathrm{c}, \mathrm{d}, \mathrm{c}, \mathrm{d}\}$, but $\{\mathrm{a}$, c, d\} doesn't.

You are given a forbidden sequence $F$ of lowercase letters and a weakness limit $M$. A sequence $X$ of length $N$ is called strong if one of the following conditions is true:
(i) the earliest occurrence of $F$ in $X$ is not a weak occurrence or
(ii) $F$ doesn't occur in $X$ at all.

Write a program to calculate the number of strong sequences of lowercase letters of length $N$. Print the answer modulo 1000000007 .

## Input

The first line of the input contains $T$, the number of test cases. $T \leq 5000$. Each test case consists of two lines. The first line contains a non-empty string of lowercase letters that denotes the forbidden sequence $F$ which contains no more than 100 characters. The next line contains two positive integers $M(1 \leq M \leq 10)$ and $N\left(1 \leq N \leq 10^{9}\right)$, where $M$ denotes the weakness limit and $N$ denotes the desired length of the strong sequences.

## Output

For each set of input, print the output in the format, 'Case $X: \quad Y$ ' where $X$ is the serial of the input and $Y$ is the desired output (see the sample output for clarification).

## Sample Input

2
ab
24
ww
12

## Sample Output

Case 1: 453750
Case 2: 675

