using the acronym SSD for convenience from now on).


Figure 1: Segments used for SSD representation
Here, DP represents decimal place which is not necessary in the context of this problem.
And here are the numbers from 0 to 9 represented in SSD.

## 0 7 2 3 4 5 6 789

0 uses segments A, B, C, D, E, F 1: B, C
2: A, B, G, E, D
3: A, B, C, D, G
4. B, C, F, G

5: A, C, D, F, G
6: A, C, D, E, F, G
6: A, C, D,
8: A, B, C, D, E, F, G
9: A, B, C, D, F, G
Now, imagine the SSD representation of a digit as a graph. The endpoints of the segments are the nodes and segments are edges. So, the digits will look like


We call this representation a 0 -degree SSD graph. A $k$-degree $(k>0)$ SSD graph is made by ividing each edge of a 0 -degree graph into $k+1$ edges and introducing $k$ nodes in between them. To explain more, 1-degree graphs of all digits are shown below. The darker nodes are the newly introduced nodes.


You'll be given a graph with $n$ nodes and $m$ edges. You'll need to print all the (degree, digit) pairs which the given graph is valid.

## Input

The first line of the input contains an integer which denotes the number of test cases $T(1 \leq T \leq 20)$ $T$ sets of case will follow. Each case will start with a couple of numbers $n(1 \leq n \leq 500)$ and $m$ ( $1 \leq m \leq 1000$ ) - the number of nodes and the number of edges respectively. Each of the next $m$ re numbered from 1 to $n$. It's guaranteed that there is no duplicate or self-edges in the input.

## Output

For each set of inputs, output one set of output. First line of a set should be of the format, 'Case $X$ $Y^{\prime}$ (here, $X$ is the serial of the input and $Y$ is the number of (digit, degree) pairs) in a line. Then frint then (digree Each) pair - one pair $Y$ each lie. The pairs shoud be sorted according to digit frst then degree. Each number in a pair should be separated with a space. Print a blank line between

## Sample Input

12
23
3 34
45 5
6
7 89
9 910
1011 $\begin{array}{ll}1011 \\ 11 & 12\end{array}$ $\begin{array}{lll}11 & 12 \\ 12 & 13 \\ 13 & 14\end{array}$ $\begin{array}{ll}1213 \\ 13 & 14 \\ 14 & 15\end{array}$ 1415 43 12
13

Sample Output

