Q: There are one high bridge and one low bridge across the river. The river has flooded twice, why the high bridge is flooded twice but the low bridge is flooded only once?
A: Because the lower bridge is so low that it's still under water after the first flood is over.
If you're confused, here's how it happens:

- Suppose high bridge and low bridge's heights are 2 and 5 , respectively, and river's initial water level is 1 .
- First flood: the water level is raised to 6 (Both bridges are flooded), and then back to 2 (high bridge is not flooded anymore, but low bridge is still flooded).
- Second flood: the water level is raised to 8 (The high bridge is flooded again), and then back to 3.

Just a word game, right? The key is that if a bridge is still under water (i.e. the water level is no less than the bridge height) after a flood, then next time it will not be considered flooded again.

Suppose the $i$-th flood raises the water level to $a_{i}$ and then back to $b_{i}$. Given $n$ bridges' heights, how many bridges are flooded at least $k$ times? The initial water level is 1 .

## Input

The input contains at most 25 test cases. Each test case begins with 3 integers $n, m, k$ in the first line $\left(1 \leq n, m, k \leq 10^{5}\right)$. The next line contains $n$ integers $h_{i}$, the heights of each bridge ( $2 \leq h_{i} \leq 10^{8}$ ). Each of the next $m$ lines contains two integers $a_{i}$ and $b_{i}\left(1 \leq b_{i}<a_{i} \leq 10^{8}, a_{i}>b_{i-1}\right)$. The file size of the whole input does not exceed 5MB.

## Output

For each test case, print the number of bridges that is flooded at least $k$ times.

## Explanation:

For the second sample, 5 bridges are flooded 1, 2, 3, 2, 0 times, respectively.

## Sample Input

## 222

25
62
83
532
23456
53
42
52

## Sample Output

Case 1: 1
Case 2: 3

