If you are given two sides of a rectangle, you can find the area of the rectangle very easily. But can you do the opposite? Given the area of a rectangle can you tell me how many different rectangles can have this area, provided the sides of the rectangles must be integer? Two rectangles are equal only if the sides are same. You cannot rotate a rectangle. So if the area is 6 there are 4 different rectangles are possible. They are $1 \mathrm{x} 6,2 \mathrm{x} 3,3 \mathrm{x} 2$ and 6 x 1 .

This problem is very easy and I am sure you can solve it in a minute. Your problem is much tougher. One of your friends Po has got a magic Genie. Every day the Genie grants Po a wish. When asked to grant the wish, the Genie (depending on its mood) tells a number. If it's positive then Po's land gets multiplied by that number. If it's negative then Po's land is divided by the absolute value of that number. So every day, Po tells you the area of the land Po owns. You need to find out how many different rectangles can have that area. And then output the summation after $D$ days. Initially the area of land Po owns is 1 .

## Input

First line of input consists of an integer, $T(T \leq 10)$, the number of test cases. Each case starts with an integer, $D\left(0<D \leq 10^{6}\right)$, the number of days this wish granting will go on. Next $D$ lines each has an integer $G\left(0<|G| \leq 10^{6}\right)$, the number with which Po's lands area will be multiplied or divided. If $G$ is negative, it will be a divisor of Po's land area.

## Output

For each case print one line 'Case $X$ :' where $X$ is the case number. Then for each wish of a day, find the number of different of rectangles you can make which will have the same area as Po's land and output the summation after $D$ days. As this can be much bigger, output modulo $1000000007\left(10^{9}+7\right)$.

## Sample Explanation:

1st day: Area $=12 \rightarrow 6$ ways.
2nd day: Area $=36 \rightarrow 9$ ways.
3 day: Area $=18 \rightarrow 6$ ways.
4 day: Area $=90 \rightarrow 12$ ways.
5 day: Area $=15 \rightarrow 4$ ways.
So in total $(6+9+6+12+4)=37$ ways.

## Sample Input

1
5
12
3
-2
5
-6

## Sample Output

Case 1: 37

