Given an infinite sequence $A$ with $A[N](N \geq$ 1) being the smallest multiple of 4 that begins with $N$, concatenate digits of $A[N]$ to create an infinite string $S$. Chuck Norris can do this for you in his spare time.

What is the $K$-th digit in $S$ ?
Specifically, sequence begins as $12,20,32,4$, $52,60, \ldots$, resulting in
$S=" 12203245260 \ldots$. .

## Input

Number of cases, each case contains positive integer $K\left(K \leq 10^{15}\right)$. Last case is followed by the line containing a single zero.

> Leap Years
> 5961600160416081612161616201624162816 6441648165216561660166416681672167616 6921696170017041708171217161720172417 7401744174817521756176017641768177217 7881792179618001804180818121816182018 8361840184418481852185618601864186818 8841888189218961900190419081912191619 9321936194019441948195219561960196419 9801984198819921996200020042008201220

## Output

For each test case, print the $K$-th digit of $S$ on separate line.

## Sample Input

1
7
15
0

## Sample Output

1
4
9

