You live in the universe X where all the physical laws and constants are different from ours. For example all of their objects are $N$-dimensional. The living beings of the universe X want to build an $N$-dimensional monument. We can consider this $N$ dimensional monument as an $N$-dimensional hyper-box, which can be divided into some $N$ dimensional hypercells. The length of each of the sides of a hyper-cell is one. They will use some $N$-dimensional bricks (or hyper-bricks) to build this monument. But the length of each of the $N$ sides of a brick cannot be anything other than fibonacci numbers. A fibonacci sequence is given below:

$$
1,2,3,5,8,13,21, \ldots
$$

As you can see each value starting from 3 is the sum of previous 2 values. So for $N=3$ they can use bricks of sizes $(2,5,3)$, ( $5,2,2$ ) etc. but they cannot use bricks of size $(1,2,4)$ because the length 4 is not a fibonacci number. Now given the length of each of the dimension of the monument determine the minimum number of hyper-bricks required to build the monument. No two hyper-bricks should intersect with each other or should not go out of the hyper-box region of the monument. Also none of the hyper-cells of the monument should be empty.

## Input

First line of the input file is an integer $T(1 \leq T \leq 100)$ which denotes the number of test cases. Each test case starts with a line containing $N(1 \leq N \leq 15)$ that denotes the dimension of the monument and the bricks. Next line contains $N$ integers the length in each dimension. Each of these integers will be between 1 and 2000000000 inclusive.

## Output

For each test case output contains a line in the format Case $x: M$ where $x$ is the case number (starting from 1) and $M$ is the minimum number of hyper-bricks required to build the monument.

## Sample Input

2
2
44
3
578

## Sample Output

Case 1: 4
Case 2: 2

