We want to build a rectangle where each row is a permutation of 0 to $\mathrm{N}-1$. We want to make this rectangle with as many rows as possible while maintaining the following constraints.

$$
\sum_{j=0}^{N-1} E_{i, j} \leq A_{i} \text { and } \sum_{j=0}^{N-1} E_{i, j} \leq B_{i}, \text { where } E_{i, j}= \begin{cases}D_{i, j}-C_{i, j} & \text { when } D_{i, j}>C_{i, j} \\ 0 & \text { when } D_{i, j} \leq C_{i, j}\end{cases}
$$

$D_{i, j}$ is the number of occurrences of integer $j$ in the column $i . C$ is a matrix of $N$ rows and $N$ columns will be given as input. $A$ and $B$ are two sequences of size $N$ will be given as input. Given $N, A, B, C$ build a rectangle with the largest possible number of rows.

## Input

First line of the input contains $T(1 \leq T \leq 50)$ the number of test cases. It is followed by $T$ test cases. Each test case starts with an integer $N(1 \leq N \leq 30)$ indicating the number of columns in the rectangle. Next line contains $N$ integers separated by single spaces.

These integers are $A_{0}$ to $A_{N-1}\left(0 \leq A_{i} \leq 10\right)$. Next line contains $N$ integers separated by single spaces. These integers are $B_{0}$ to $B_{N-1}\left(0 \leq B_{i} \leq 10\right)$. Each of the next $N$ line contains $N$ integers in each line. The integer on row $i$ and column $j$ is $C_{i, j}\left(0 \leq C_{i, j} \leq 4\right)(i$ and $j$ starts from zero). A blank line will follow each test case.

## Output

For each test case the first line of the output will be in the following format 'Case \#C: $R$ '. Quotes are for clarity only. $C$ is the test case number starting from $1 . R$ is the maximum possible rows of the rectangle. Each of the next $R$ lines should contain $N$ integer in each line separated by spaces. Each of these $N$ integers in each line should be a permutation of 0 to $N-1$. The whole $R \times N$ rectangle should maintain the constraints as described in the problem statement.

## Sample Input

## 2

3
000
000
200
020
002
3
123
321
123
231
312

## Sample Output

Case 1: 2
012
012
Case 2: 7
012
102
102
210
210
210
021

