In most puzzles we are given some pieces and we have to make a target pattern which can be built in only one possible way. But some puzzles are a bit different, we are given a target pattern and from that target pattern we have to find in how many ways the pieces can be placed. Such a puzzle is the puzzle of overlapping squares. To understand this puzzle, look at the pictures below:

In first figure we have placed a $(2 \times 2)$ filled square in a $(4 \times 4)$ grid. In the second figure we have placed another $(2 \times 2)$ filled square in the grid, which have of course deleted some part of the black lines of the previous square, in third picture we have placed a third square and in the fourth picture we have placed a fourth square. The picture can become even more complex if we place more $(2 \times 2)$ squares.

Write a program to determine if it's possible to form a target image using between 1 and 6 pieces (inclusive) of $2 \times 2$ squares.


Fig 1. Placing four filled squares in an empty $4 \times 4$ grid.

## Input

The input consists of several test cases. Each test case is contained in five lines and each line contains nine characters. If the horizontal border of a filled square is visible it is denoted with '_' (ASCII value 95) sign and if vertical border of a filled square is visible then it is denoted with 'I' (ASCII value 124) character. The board contains no other character than '_', 'I' and of course ' (ASCII Value 32). The border lines of the squares can only be along the grid lines. Each board lines end with a '\#' (Hash character) which denotes the end of line. This character is not a part of the grid or square. The last test case is followed by a single zero, which should not be processed.

## Output

For each test case, print the case number and 'Yes' or ' $N o$ ', depending on whether it's possible to form the target.

## Sample Input

|  |
| :---: |
| \| _ _ 1 |
| I_\| | |
| - _ 1 |
|  |
| 1 |
| I_ _ 1 |
|  |
| - I_l_l_\|\# |
| I_I_I_I_\|\# |
| I_I_I_\|_|\# |
| I_I_I_I_\|\# |
| - - \# |
| 1 I_ \# |
| I_ _ \| $\#$ |
| _l I_\|\# |
| - _ I_\|\# |
|  |

## Sample Output

```
Case 1: Yes
Case 2: Yes
Case 3: No
Case 4: Yes
```

