Consider a grid of size $\mathrm{n} \times \mathrm{n}$ where each cell contains a number. Let's call a grid stable if we can rearrange the numbers of each row so that every column of the resulting grid has no repeated values.

Mathematically, say, we have a grid $G$ of size $n \times n$. We would like to permute the elements of each row $G_{i}(1 \leq i \leq n)$ so that the resulting grid has the following property:

For every column $j$, the values $G_{i, j}$ are all distinct for $(1 \leq i \leq n)$.
As an example, consider a grid $G$ of size $4 \times 4$ as shown below

| 2 | 1 | 1 | 3 |
| :---: | :---: | :---: | :---: |
| 3 | 1 | 2 | 6 |
| 2 | 6 | 10 | 3 |
| 9 | 8 | 7 | 6 |

We can permute each row to get $G^{\prime}$ as shown below

| 2 | 1 | 1 | 3 |
| :---: | :---: | :---: | :---: |
| 1 | 3 | 6 | 2 |
| 6 | 2 | 3 | 10 |
| 9 | 8 | 7 | 6 |

In $G^{\prime}$, there are no repeated values in any column. So, the given grid is stable.
In this problem, you will be given a grid of size $n \times n$ and you have to determine whether it is stable or not.

## Input

Input starts with an integer $T(\leq 500)$, denoting the number of test cases.
Each case starts with a line containing the value of $n(0<n<100)$. The next $n$ lines contain $n$ integers each. The $j$-th integer of the $i$-th line represent the value of $G_{i, j}$. Consecutive integers in each line are separated with space characters. All the integers in the grid are non-negative with magnitude not greater than 100 .

## Output

For each case, output the case number first. If the given grid is stable, output 'yes' otherwise output 'no'. Look at the samples for exact format.

## Sample Input

3
4
2113
3126
26103
9876
3
112
111
222
3
123
231
312

## Sample Output

Case 1: yes
Case 2: no
Case 3: yes

