It's time to remember the disastrous moment of the old school math. Yes, the little math problem with the monkey climbing on an oiled bamboo. It goes like:
"A monkey is trying to reach the top of an oiled bamboo. When he climbs up 3 feet, he slips down 2 feet. Climbing up 3 feet takes 3 seconds. Slipping down 2 feet takes 1 second. If the pole is 12 feet tall, how much time does the monkey need to reach the top?"

When I was given the problem, I took it seriously. But after a while I was thinking of killing the monkey instead of doing the horrible math! I had rather different plans (!) for the man who oiled the bamboo.

Now we, the problem-setters, got a similar oiled bamboo. So, we thought we could do better than the traditional monkey. So, I tried first. I jumped and climbed up 3.5 feet (better than the monkey! Huh!) But in the very next second I just slipped and fell off to the ground. I couldn't remember anything after that, when I woke up, I found myself in a bed and the anxious faces of the problem setters around me. So, like old school times, the monkey won with the oiled bamboo.

So, I made another plan (somehow I want to beat the monkey), I took a ladder instead of the bamboo.
 Initially I am on the ground. In each jump I can jump from the current rung (or the ground) to the next rung only (can't skip rungs). Initially I set my strength factor $k$. The meaning of $k$ is, in any jump I can't jump more than $k$ feet. And if I jump exactly $k$ feet in a jump, $k$ is decremented by 1 . But if I jump less than $k$ feet, $k$ remains same.

For example, let the height of the rungs from the ground are $1,6,7,11,13$ respectively and $k$ be 5 . Now the steps are:

1. Jumped 1 foot from the ground to the 1 st rung (ground to 1 ). Since I jumped less than $k$ feet, $k$ remains 5.
2. Jumped 5 feet for the next rung ( 1 to 6 ). So, $k$ becomes 4 .
3. Jumped 1 foot for the 3 rd rung ( 6 to 7 ). So, $k$ remains 4 .
4. Jumped 4 feet for the 4 th rung ( 7 to 11 ). This $k$ becomes 3 .
5. Jumped 2 feet for the 5 th rung ( 11 to 13 ). And so, $k$ remains 3 .

Now you are given the heights of the rungs of the ladder from the ground, you have to find the minimum strength factor $k$, such that I can reach the top rung.

## Input

Input starts with an integer $T(\leq 500)$, denoting the number of test cases.
Each case starts with a line containing an integer $n$ denoting the number of rungs in the ladder. The next line contains $n$ space separated integers, $r_{1}, r_{2}, \ldots, r_{n}\left(1 \leq r_{1}<r_{2}<\ldots<r_{n} \leq 10^{7}\right)$ denoting the heights of the rungs from the ground.

For all cases, $1 \leq n \leq 10$, except 5 cases where $10<n \leq 10^{5}$.

## Output

For each case, print the case number and the minimum value of $k$ as described above.

## Sample Input

2

## Sample Output

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Case 1: 5
Case 2: 6
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