It's believed that frogs jump due to lack of natural physical defense against predators. However, there are some types of frogs that do not leap. In this problem, we will consider a hybrid version of a frog that can both leap and walk.

Consider a magical creek with $N$ stones. The shape of each stone is either a circle or a square. Our frog is currently standing on stone 1 and it is going to make $(N-1)$ leaps so that it can land on every stone. It is believed that after making $N-1$ jumps, the frog will grow wings and fly away. After every jump, it loses $10 \%$ ot its 'leaping energy'. That means in the $K$-th leap it can jump to a maximum distance
 of $L * 0.9^{k-1}$, where $L$ is the initial maximum jump distance. The frog, however, can walk from any point to any other point within a stone without loss of any energy.

In this problem, you have to find the minimum value of $L$ that will enable the frog to visit all the stones starting from stone 1. Obviously, the visiting order of the stones will be such that the value of $L$ is minimized. When calculating the distances, assume the frog is a point and the stones are circles and squares on a 2D Cartesian coordinate.

## Input

The first line of input is an integer $T(T \leq 200)$ that indicates the number of test cases. Each case starts with a line containing an integer $N(2 \leq N \leq 15)$ that represents the number of stones. The next $N$ lines contain the descriptions of the stones starting from stone 1 . Each stone will be given in the format 'type $X Y R$ '. type can be ' $C$ ' or ' S ' and represents circle and square respectively. If type is equal to ' C ', then ( $X, Y$ ) will give you the center of the circle and $R$ will give you the radius. If type is ' S ', then $(X, Y)$ will give you the lower left corner of the square and $R$ will give the length of the sides. The sides of the squares are axis parallel. $0 \leq X, Y \leq 1000000,0<R \leq 1000$ and stones will be non-overlapping.

## Output

For each case, output the minimum value of $L$. Errors less than $10^{-6}$ will be ignored.

## Note:

For the second sample we have the picture below. Initial value of $L$ is 5.555556 . First, the frog makes a leap to stone 3. It loses $10 \%$ of energy and that means the next leap distance can be at most 5.555556 * $0.9=$ 5.000000 . Since the shortest distance between stone 3 and stone 2 is 5.000000 , the next leap will enable the frog to land safely on stone 2 .

## Sample Input



2
2
C 005
C 1002
3
C 002
S 1014
S 312

## Sample Output

