You are given a string $S$ of length $N$. Can you find a string $P$ which satisfies the following conditions?

1. Length of $P$ will be $N$
2. Distance between $S$ and $P$ will be less than or equal to $K$
3. $P$ will be a palindrome.
4. $P$ can contain only characters ' a ', ' b ', ..., ' z '

You have to calculate, in how many ways you can choose $P$. This number can be very large, so print the answer modulo $1000000000\left(10^{9}\right)$.

## Notes:

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- A string is a sequence of characters. For this problem consider that all strings can contain only 'a', 'b', ..., 'z', i.e. 26 available characters.
- The length of the string is defined by the number of characters in the string. For example, length of "abcba" is 5 .
- A string is called palindrome when it is the same string when written from forwards or backwards. For example - "abcba", "abba", "a" are palindrome but "abc" is not a palindrome.
- Distance between two string of same length is the number of mismatches of corresponding characters. For example, distance between "abcb" and "bcba" is 4 because no character of first string matches to the character of the corresponding index of second string, but distance between "abc" and "cba" is 2 .


## Input

Input starts with an integer $T$ ( $T$ is around 5000), the number of test cases.
Each test case consists of two lines. First line contains two integers $N(1 \leq N \leq 1000)$ and $K$ ( $0 \leq K \leq 1000$ ). Second line contains a string $S$ of length $N . S$ contains only characters from 'a', 'b', ..., 'z'.

## Output

For each test case output the number of test cases followed by the number of ways the string can be chosen modulo $1000000000\left(10^{9}\right)$. See sample output for exact format.

## Sample Input

3
32
kxk
41
addc
43
Addc

## Sample Output

Case 1: 51
Case 2: 2
Case 3: 76

