A polygon is lowered at a constant speed of $v$ metres per minute from the air into a liquid that dissolves it at a constant speed of $c$ metres per minute from all sides. Given a point $(x, y)$ inside the polygon that moves with the polygon, determine when the liquid reaches the point.

The border between air and liquid always has $y$-coordinate 0 , and the liquid only eats away from the sides of the polygon in 2 dimensions. The polygon does not rotate as it is lowered into the liquid, and at time 0 , it is not touching the liquid.

Unlike the polygon, which is flat (2-dimensional), the liquid exists in three dimensions. Therefore, the liquid seeps into cavities in the polygon. For example, if the polygon is "cup-shaped", the liquid can get "inside" the cup, as in the diagram.

## Input

The input consists of several test cases.
The first line of each test case contains the five integers $N, x, y, v$, and $c$, where $3 \leq N \leq 30$, $-100 \leq x \leq 100,1 \leq y \leq 100$, and $1 \leq c<v \leq 10$.

The following $N$ lines of the test case each contain one vertex of the polygon. The $i$-th line contains the two integers $x, y$, where $-100 \leq x \leq 100,1 \leq y \leq 100$.

The vertices of the polygon are given in counter-clockwise order. The border of the polygon does not intersect or touch itself, and the point $(x, y)$ lies strictly inside the polygon - it does not lie on the border of the polygon.

Input is terminated by a line containing ' 00000 '. These zeros are not a test case and should not be processed.

## Output

For each test case, output the first time in minutes that the liquid reaches the specified point, rounded to four decimal places.

## Sample Input

405021
-1 10
110
190
-1 90
00000

## Sample Output

