

## 11750 Red-Blue Tree

Given a rooted tree  $T$  and a set  $S$  of pairs of vertices from  $T$ , we say that  $T$  is a red-blue tree on  $S$  if it is possible to colour every vertex in the tree with either red or blue such that the following holds:

For each pair of vertices  $(a, b)$  in  $S$ , consider the unique path in  $T$  connecting  $a$  to  $b$ . Any two vertices on this path that share a common parent in  $T$  must be coloured with different colours.

Given a rooted tree  $T$ , a set of vertex pairs  $S$ , and the fact that  $T$  is a red-blue tree on  $S$ , you are to find the maximum number of pairs from  $S$  that can be simultaneously connected in  $T$  using each tree edge at most once.



### Input

Each test case starts with three integers  $1 \leq n \leq 100$ ,  $0 \leq k \leq 3000$  and  $1 \leq r \leq n$  which are the number of vertices, number of pairs and index of the root, respectively. Next  $n - 1$  lines contain two integers between 1 and  $n$  describing two endpoints of an edge. Next  $k$  lines contain two integers between 1 and  $n$  giving a pair of vertices. Input is terminated with a line consisting of  $n = k = r = 0$ . You are guaranteed each input graph is a connected tree rooted at the given  $r$  and is a red-blue tree on the given pairs.

### Output

There is a line of output for each test case containing the maximum number of pairs from the given list that can be simultaneously connected using each tree edge at most once.

### Sample Input

```
16 12 1
1 2
1 3
1 4
1 5
1 6
1 7
2 8
2 9
2 10
3 11
3 12
3 13
```

4 14  
4 15  
4 16  
8 5  
5 9  
6 8  
6 12  
7 11  
7 15  
8 10  
9 10  
11 13  
12 13  
14 16  
15 16  
0 0 0

### Sample Output

6