Lucca, my four-years-old daughter, loves drawing polygons in bond paper. For example, yesterday she drew two squares, a rectangle and two triangles:


Today, she wanted to fill her figures with black chinese ink. I helped her, obtaining the next result:


She asked me: how many black zones do you see?. I said: two. I'm bored answering the same question everyday. Can you help us writing a program that, given a collection of black filled polygons, determines the number of black zones on the drawing?

For a precise understanding: a black zone is a region of black coloured points on the sheet, where every pair of them may be connected by a continuous line within the region.

## Input

The input consists of several test cases. Each test case is represented as follows:

- A line with an integer $N(1 \leq N \leq 40)$ which indicates the number of polygons in the drawing.
- $N$ lines, one per polygon, each one containing a list of $2 \cdot t$ integer numbers $x_{1} y_{1} x_{2} y_{2} \ldots x_{t} y_{t}$ specifying the points in the boundary of the polygon $\left(-10^{4} \leq x_{i}, y_{i} \leq 10^{4}, 3 \leq t \leq 10\right)$. The drawn polygon is bounded by the closed path composed of the straight line segments $\overline{\left(x_{1}, y_{1}\right)\left(x_{2}, y_{2}\right)}$, $\overline{\left(x_{2}, y_{2}\right)\left(x_{3}, y_{3}\right)}, \ldots, \overline{\left(x_{t-1}, y_{t-1}\right)\left(x_{t}, y_{t}\right)}$, and $\overline{\left(x_{t}, y_{t}\right)\left(x_{1}, y_{1}\right)}$. You can suppose that the drawn polygon is a simple polygon (a polygon whose boundary is a non-self-intersecting closed path).

The end of the input is indicated when $N=0$.

## Output

For each case in the input, print one line with the number of black zones in the drawing after filling each one of the polygons with black chinese ink.

## Sample Input

5
$\begin{array}{llllll}35 & 29 & 179 & 111 & 19 & 145\end{array}$
18322305223058018380
$2324936149361 \quad 178 \quad 232178$
13794188156112164
$\begin{array}{lllllllll}79 & 144 & 129 & 143 & 129 & 193 & 79 & 193\end{array}$
2
2020302030302030
4040405050505040
2
$\begin{array}{llllllll}20 & 20 & 30 & 20 & 30 & 30 & 20 & 30\end{array}$
3030403040403040
3
$20 \quad 2040 \quad 204040 \quad 2040$
503060207050
$60 \quad 40 \quad 50 \quad 30 \quad 3050$
0

## Sample Output

