Finding the convex hull of a set of points is an important problem that is often part of a larger problem. There are many algorithms for finding the convex hull. Since problems involving the convex hull sometimes appear in the ACM World Finals, it is a good idea for contestants to know some of these algorithms.

Finding the convex hull of a set of points in the plane can be divided into two sub-tasks. First, given a set of points, find a subset of those points that, when joined with line segments, form a convex polygon that encloses all of the original points. Second, output the points of the convex hull in order, walking counter-
 clockwise around the polygon. In this problem, the first sub-task has already been done for you, and your program should complete the second sub-task. That is, given the points that are known to lie on the convex hull, output them in order walking counter-clockwise around the hull.

## Input

The first line of input contains a single integer, the number of test cases to follow. The first line of each test case contains a single integer $3 \leq n \leq 100000$, the number of points. The following $n$ lines of the test case each describe a point. Each of these lines contains two integers and either a ' Y ' or an ' N ', separated by spaces. The two integers specify the $x$ - and $y$-coordinates of the point. A ' Y ' indicates that the point is on the convex hull of all the points, and a ' N ' indicates that it is not. The $x$ - and $y$-coordinates of each point will be no less than -1000000000 and no greater than 1000000000 . No point will appear more than once in the same test case. The points in a test case will never all lie on a line.

## Output

For each test case, generate the following output. First, output a line containing a single integer $m$, the number of points on the convex hull. Next output $m$ lines, each describing a point on the convex hull, in counter-clockwise order around the hull. Each of these lines should contain the $x$-coordinate of the point, followed by a space, followed by the $y$-coordinate of the point. Start with the point on the hull whose $x$-coordinate is minimal. If there are multiple such points, start with the one whose $y$-coordinate is minimal.

## Sample Input

1
5
11 Y
1 -1 Y
00 N
-1 -1 Y
$-11 \mathrm{Y}$

## Sample Output

4
-1 -1
1 -1
11
-1 1

