Consider strings formed from characters from an alphabet of size $K$. For example, if $K=4$, our alphabet might be $\{a, b, c, d\}$, and an example string is bbcac.

For a string $S$, define count $(S, k)$ to be the number of occurrences of the symbol $k$ in $S$. For example, $\operatorname{count}(b b c a c, b)=2$ and $\operatorname{count}(b b c a c, a)=1$.

A prefix of a string $S$ is any string obtained from $S$ by deleting some (possibly none) of the trailing characters of $S$. For example, the prefixes of $a c b$ are the empty string, $a, a c$, and $a c b$.

A string $S$ has "nice prefixes" if for every prefix $P$ of $S$ and for every two characters $k_{1}$ and $k_{2}$ in the alphabet, $\left|\operatorname{count}\left(P, k_{1}\right)-\operatorname{count}\left(P, k_{2}\right)\right| \leq 2$. For example, bbcac has nice prefixes, but $a b b b c$ does not because $\operatorname{count}(a b b b, b)=3$ and $\operatorname{count}(a b b b, c)=0$.

Count the number of strings of length $L$ on an alphabet of size $K$ that have nice prefixes. This number can be large, so print its remainder when divided by 1000000007 .

## Input

The first line of input contains a single integer, the number of test cases to follow. Each test case is a single line containing the two integers $L$ and $K$, separated by spaces, with $1 \leq L \leq 10^{18}$ and $1 \leq K \leq 100$.

## Output

For each test case, output a single line containing the number of strings of length $L$ on an alphabet of size $K$ that have nice prefixes, modulo 1000000007 .

## Sample Input

1
42

## Sample Output

