We say a sequence of characters is a palindrome if it is the same written forwards and backwards. For example, 'racecar' is a palindrome, but 'fastcar' is not.

A partition of a sequence of characters is a list of one or more disjoint non-empty groups of consecutive characters whose concatenation yields the initial sequence. For example, ('race', 'car') is a partition of 'racecar' into two groups.

Given a sequence of characters, we can always create a partition of these characters such that each group in the partition is a palindrome! Given this observation it is natural to ask: what is the minimum number of groups needed for a given string such that every group is a palindrome?

## For example:

- 'racecar' is already a palindrome, therefore it can be partitioned into one group.
- 'fastcar' does not contain any non-trivial palindromes, so it must be partitioned as (' $f$ ', 'a', 's', 't', ' $c$ ', ' $a$ ', ' $r$ ').
- 'aaadbccb' can be partitioned as ('aaa', 'd', 'bccb').


## Input

Input begins with the number $n$ of test cases. Each test case consists of a single line of between 1 and 1000 lowercase letters, with no whitespace within.

## Output

For each test case, output a line containing the minimum number of groups required to partition the input into groups of palindromes.

## Sample Input

3
racecar
fastcar
aaadbccb

## Sample Output

