Alice and Bob both have lots of candies but want more. They decide to play the following turn-based game.

First they write some words on a few pieces of paper and put them into a bag so they cannot see the words. Next they decide whose turn is first. The first turn begins with the first player drawing and keeping a piece of paper with the word $A$ from the bag and copying $A$ onto a blackboard evenly spaced.

Then the second player draws and keeps a piece of paper with the word $B$ on it. The current player is to write $B$ on the blackboard underneath $A$ evenly spaced. The second player receives one candy from the first for each character that matches vertically between $A$ and $B$.

Now it is the first player's turn who similarly draws and places word $C$ underneath $B$ and gains a candy for each of the characters vertically matched between $B$ and $C$. The game continues until there are no more words in the bag.

What is the maximum number of candies that one of Alice and Bob can possibly get in a turn?


The game on the second blackboard awards the second player one candy. The game on the third blackboard awards the second player two candies.

## Input

The first line of the input contains an integer $t(1 \leq t \leq 70)$, the number of test cases. Each test case starts with an integer $n(2 \leq n \leq 70)$, the number of words in the bag. Then follow $n$ lines containing one word each (in no particular order). Each word will contain between 1 and 70 characters, all of them uppercase letters of English alphabet.

## Output

For each test case, print a line containing the maximum number of candies either Alice or Bob can get in a single turn.

## Sample Input

2
2
ALICE
BOB
2
ABCB
BCAB

## Sample Output

0
2

