In the land of our great Sultan, the World Weird Fence (WWF) festival is going to take place again. For the festival, some poles are set up in a Cartesian plane. Each pole is colored in either red or blue color. You can connect two poles with a chain that consists of multi-colored rings thus creating a weird fence. Each pole has a single hook so you can not connect more than one chain to a pole. Now, though you have an unlimited supply of chains all having the same length, it's important to note that each of the chains has a red ring at one end and a blue ring at the other end and you are only allowed to hook up a ring to a pole with same color. Also, it's obvious that you can use a chain to connect two poles if and only if the chain's length is greater than or equal to the linear distance of those two poles.

Given the co-ordinates of the poles and a positive integer $k$, write a program to find the minimum possible integer length for the chains so that at least $k$ weird fences can be made. The fences may cross each other.

## Input

The first line of the input file is the number of test cases $N$. This line will be followed by a blank line. $N$ test cases follow. First line of each test case contains two positive integers $P$ and $k$ where $P$ is the number of poles on the plane. $(1 \leq P, k \leq 100)$. Each of the next $P$ lines has two integers $X$ and $Y$ and the word 'red' / 'blue'. $X$ and $Y$ are the co-ordinates of the pole ( $-1000 \leq X, Y \leq 1000$ ) and the word is the color of that pole. No two poles will be in the same location. There will be a blank line between test cases.

## Output

For each test case output a single integer in a line which is the minimum integer length of the chains that is necessary to make at least $k$ fences. If it is not possible to build $k$ fences with the given constraints, print the word 'Impossible' in a single line.

## Sample Input

## 2

## 62

-3 5 blue
-3 3 red
15 blue
20 red
46 blue
$4-1$ red

64
-3 5 blue
-3 3 red
15 blue
20 red
46 blue
4-1 red

## Sample Output

6
Impossible

