A marathon runner uses a pedometer with which he is having problems．In the pedometer the symbols are represented by seven segments（or LEDs）：

## 8

But the pedometer does not work properly（possibly the sweat affected the batteries）and only some of the LEDs are active．The runner wants to know if all the possible symbols：

## 0123456789

can be correctly identified．For example，when the active LEDs are：

numbers 2 and 3 are seen as：

so they cannot be distinguished．But when the active LEDs are：

the numbers are seen as

## ก1アコロ56789

and all of them have a different representation
Because the runner teaches algorithms at University，and he has some hours to think while he is running，he has thought up a programming problem which generalizes the problem of his sweat pedometer．The problem consists of obtaining the minimum number of active LEDs necessary to identify each one of the symbols，given a number $P$ of LEDs，and $N$ symbols to be represented with these LEDs（along with the codification of each symbol）

For example，in the previous sample $P=7$ and $N=10$ ．Supposing the LEDs are numbered as：



 be suppressed without losing information，so the solution is 5 ．

Input
The input file consists of a first line with the number of problems to solve．Each problem consists of a first line with the number of LEDs $(P)$ ，a second line with the number of symbols $(N)$ ，and $N$ lines each one with the codification of a symbol．For each symbol，the codification is a succession of 0 s and 1 s ，with a space between them．A 1 means the corresponding LED is part of the codification of the symbol．The maximum value of $P$ is 15 and the maximum value of $N$ is 100 ．All the symbols have different codifications．

## Output

The output will consist of a line for each problem，with the minimum number of active LEDs necessary to identify all the given symbols

Sample Input

## 2 7

10
$\begin{array}{lllllll}1 & 1 & 1 & 0 & 1 & 1 & 1\end{array}$
0010010
10111101
1011011
$\begin{array}{lllllll}0 & 1 & 1 & 1 & 0 & 1 & 0\end{array}$
$\begin{array}{lllllll}1 & 1 & 0 & 1 & 0 & 1 & 1\end{array}$
$\begin{array}{lllllll}1 & 1 & 0 & 1 & 1 & 1 & 1\end{array}$
1010010
$\begin{array}{lllllll}1 & 1 & 1 & 1 & 1 & 1 & 1\end{array}$
$\begin{array}{llllll}1 & 1 & 1 & 0 & 1\end{array}$
6
10
0111100
$\begin{array}{llllll}1 & 0 & 0 & 0 & 0 & 0\end{array}$
101000
$\begin{array}{llllll}1 & 0 & 1 & 0 & 0 & 0 \\ 1 & 1 & 0 & 0 & 0 & 0\end{array}$
$\begin{array}{llllll}1 & 1 & 0 & 0 & 0 & 0 \\ 1 & 1 & 0 & 1 & 0 & 0\end{array}$
$\begin{array}{llllll}1 & 1 & 0 & 1 & 0 & 0 \\ 1 & 0 & 0 & 1 & 0 & 0\end{array}$
$\begin{array}{llllll}1 & 0 & 0 & 1 & 0 & 0\end{array}$
111000
111100
101100
011000

