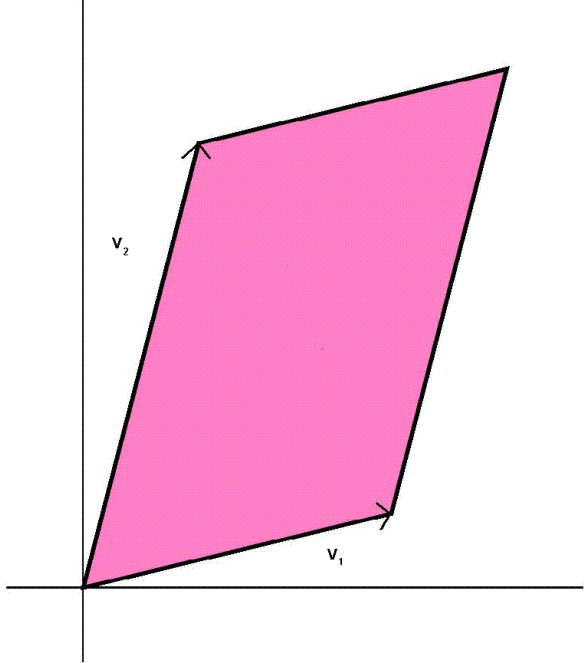


## 11273 Warping of $N$ Dimensional Space

In this problem, we want to apply a linear transformation to warp an  $N$  dimensional volume. Let  $Volume(v)$  denote the volume of the  $N$  dimensional parallelepiped spanned by  $N$ ,  $N$  dimensional vectors  $\{v_1, v_2, \dots, v_N\}$ . An example of a 2D volume spanned by 2, 2 dimensional vectors is shown below. In a strange twist, we have decided to apply a “Linear GCD” transformation. That is, if we represent our linear transformation  $f : R^N \rightarrow R^N$  by the matrix  $A$ , where  $R$  denotes the set of real numbers, then  $A(i, j) = \gcd(i, j)$  for  $1 \leq i, j \leq N$ , where  $\gcd(i, j)$  stands for the greatest common divisor of  $i$  and  $j$ . Given,  $S$ , any set of  $N$  vectors of  $R^N$ , such that  $Volume(S)$  is positive, we ask you to compute the ratio of the volume after the transformation to the volume before the GCD Transformation. In other words, compute  $r(S) = Volume(F(S))/Volume(S)$ , where  $F(S) = \{f(v)|v \text{ in } S\}$ . However, since  $r(S)$  can be quite large, we only ask you to compute  $T(S) = \text{floor}(r(S)) \bmod 4000039$ . In an even stranger twist, we will not give you  $S$ , but instead ask you to compute, the mean value of  $T(S)$  over all  $N$  vectors  $S$  of  $R^N$ , such that  $Volume(S)$  is positive.



### Input

The input of each test cases is simply the value  $N$  ( $N < 4000000$ ) on its own line.

### Output

For each input value, output the answer rounded to an integer, followed by a newline.

### Sample Input

```
10000
10001
```

### Sample Output

```
2747606
295638
```