Have you ever looked at formulae of the form $\operatorname{Cos}(N A)$ ? If you havent looked at them yet, just look at them now:

$$
\begin{aligned}
& \operatorname{Cos}(2 A)=2 \operatorname{Cos}^{2}(A)-1 \\
& \operatorname{Cos}(3 A)=4 \operatorname{Cos}^{3}(A)-3 \operatorname{Cos}(A) \\
& \operatorname{Cos}(4 A)=8 \operatorname{Cos}^{4}(A)-8 \operatorname{Cos}^{2}(A)+1
\end{aligned}
$$

These formulae will make you believe that any $\operatorname{Cos}(N A)$ can be expanded in an expression which contains only one function $\operatorname{Cos}(A)$ and all the coefficients are also integers. In this problem your job is to find such a formula for $\operatorname{Cos}(N A)$ given the value of $N$.

## Input

The input file contains at most 50 lines of inputs. Each line contains a positive integer $N(N<50)$. Input is terminated by a line containing a single zero.

## Output

For each line of input except the last one you should produce one line of output. This line should contain the formula (As described in the problem statment) for $\operatorname{Cos}(N A)$. You dont need to print any redundant things in the output such as (a) Printing operators in two consecutive places (b) Printing the exponent when it is 1 (c) Printing the coefficient when it is 1 (d) Just look at the output for sample input for details.

## Sample Input

2
3
4
0

## Sample Output

2 Cos $^{\wedge} 2(A)-1$
$4 \operatorname{Cos}^{\wedge} 3(\mathrm{~A})-3 \mathrm{Cos}(\mathrm{A})$
$8 \operatorname{Cos}^{\wedge} 4(A)-8 \operatorname{Cos}^{\wedge} 2(A)+1$

