Thanks to the Interstate Highway System, it is now possible to travel from coast to coast without seeing anything.

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The problem is simple: there are n planets in the galaxy that have human settlements on them. Each planet has a hyperspace jump gate that allows a space ship to teleport from some planet U to some planet V. For technical reasons, not all of the n $(n-1)$ jumps are allowed. What is the smallest number of jumps that are required to reach planet T from planet S?

Input

The first line of input gives the number of cases, N. N test cases follow. Each one starts with two lines containing n $(1 \leq n \leq 100,000)$ and k $(0 \leq k \leq 41,000)$. The next k lines will each be of the form

U $V1$-$V2$

meaning that the jumps from planet U to planets $V1$ through $V2$ (inclusive) are forbidden. Finally, the last line will contain S and T. Vertices are numbered from 0 to $n-1$. The number of different forbidden pairs will be no larger than 5,000,000.

Output

For each test case, output one line containing '`Case #`x`:`' followed by either the minimum number of jumps, or '`Impossible`'.

Sample Input

```
4
3
1
0 2-2
0 2
3
1
0 1-2
0 2
4
4
0 0-3
1 0-3
2 0-3
3 0-3
0 0
100000
3
0 1-99998
99999 1-50000
99999 50002-99999
0 1
```

Sample Output

```
Case #1: 2
Case #2: Impossible
Case #3: 0
Case #4: 3
```