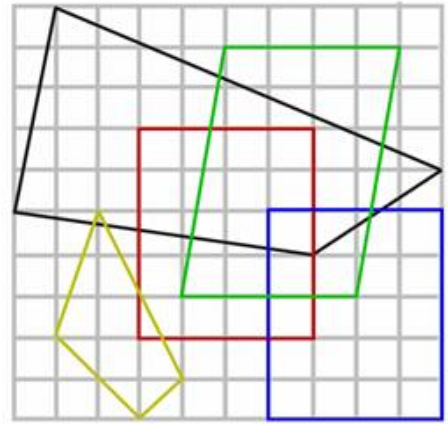


In the  $10 \times 10$  grid below you can see five different lattice quadrilaterals. (A lattice quadrilateral is a quadrilateral whose vertices have integer coordinates. A quadrilateral is a polygon with four sides and is not self intersecting. None of the internal angles of a Quadrilateral can be equal to 180 degree) Of course these are only a few lattice quadrilaterals of the millions that can be drawn in this  $10 \times 10$  grid. Given an  $(N \times N)$  grid your job is to count the number of different lattice quadrilaterals in that grid.



## Input

The input file contains at most 150 sets of inputs. Each line contains an integer  $N$  ( $0 < N < 121$ ). Input is terminated by a line where the value of  $N$  is zero.

## Output

For each line of input produce one line of output. This line contains two integers. First integer is the input number  $N$  and the second integer denotes the number of quadrilaterals in an  $(N \times N)$  grid. It is guaranteed that the second integer will fit in a 64-bit signed integer.

**Warning:** This problem has no alternate solution so can have mistakes. Actually a brute force solution is written to verify the answers. But that could only verify answers up to  $(22 \times 22)$  grid after running for 14 hours.

**Tips:** The time limit of this problem is 3 seconds and has only specific amount of judge input. So pre-calculation can be a better option if a very efficient solution is hard to find. But of course the most obvious brute force method can take around 200 years to complete in a 1.8 Ghz Pentium IV machine.

## Sample Input

```
1
2
10
0
```

## Sample Output

```
1 1
2 94
10 12046294
```