We would like to place $n$ rooks, $1 \leq n \leq 5000$, on a $n \times n$ board subject to the following restrictions

- The $i$-th rook can only be placed within the rectangle given by its left-upper corner $\left(x l_{i}, y l_{i}\right)$ and its rightlower corner $\left(x r_{i}, y r_{i}\right)$, where $1 \leq i \leq n, 1 \leq x l_{i} \leq$ $x r_{i} \leq n, 1 \leq y l_{i} \leq y r_{i} \leq n$.
- No two rooks can attack each other, that is no two rooks can occupy the same column or the same row.


## Input

The input consists of several test cases. The first line of each of them contains one integer number, $n$, the side of the board. $n$ lines follow giving the rectangles where the rooks can be placed as described above. The $i$-th line among them gives $x l_{i}, y l_{i}, x r_{i}$, and $y r_{i}$. The input file is terminated with the integer ' 0 ' on a line by itself.

## Output

Your task is to find such a placing of rooks that the above conditions are satisfied and then output $n$ lines each giving the position of a rook in order in which their rectangles appeared in the input. If there are multiple solutions, any one will do. Output 'IMPOSSIBLE' if there is no such placing of the rooks.

## Sample Input

8
1122
5788
2255
2255
6386
6385
6388
3678
8
1122
5788
2255
2255
6386
6385
6388
3678
0

## Sample Output

11
58
24
42
73
85
66
37
11
58
24
42
73
85
66
37

