Given an increasing sequence of integers  $a_1, a_2, a_3, \ldots, a_k$ , the *E*-transform produces a sequence of the same length,  $b_1, b_2, b_3, \ldots, b_k$  such that

- $b_1 = a_1$
- for j > 1,  $b_j$  is the only integer  $a_{j-1} < b_j \le a_j$ , which is divisible  $bya_j a_{j-1}$ .

For example, from S = 0, 1, 4, 9, 16, 25, 36, 49 one gets E(S) = 0, 1, 3, 5, 14, 18, 33, 39. A sequence S such that E(S) = S is called an eigensequence. For instance, S = 2, 3, 4, 6, 8, 12, 16, 18, 20 is an eigensequence.



Given integers  $a_1$  and  $a_n$ , how many eigensequences (of any length) start with  $a_1$  and end with  $a_n$ ?

## Input

Input has many data lines, followed by a terminating line. Each line has two integers,  $a_1$  and  $a_n$ . If  $a_1 < n$ , it's a data line. Otherwise it's a terminating line that should not be processed. On each line,  $0 \le a_1 \le a_n \le 44$ . This guarantees that each output fits into 32 bit integer.

## Output

For each data line, print a line with  $a_1$ ,  $a_n$ , and x, where x is the number of eigensequences (of any length) that start with  $a_1$  and end with  $a_n$ .

## Sample Input

- 03
- 57
- 28
- 0 0

## **Sample Output**