you are given some marbles of $n$ different color. You have to arrange these marbles in a line. The marbles adjacent with same color form a group. In each group there can be 1 to 3 marble. Adjacent group should have different color and size. The first and last group also should have different color and size. You are given the number of each of these n marbles. You have count the number of ways you can arrange them in a line maintaining the above constraints. For example you have 4 red marbles and 4 green marbles. You can arrange them in the following 8 way - GGGRRGRR, GGRGGRRR, GGRRRGGR, GRRGGGRR, RGGRRRGG, RRGGGRRG, RRGRRGGG, RRRGGRGG.

## Input

Input contains multiple number of test cases. The first line contain the number of test cases $t(t<3000)$. Each of the next line contains one test case. Each test case starts with $n(1 \leq n \leq 4)$ the number of different color. Next contains $n$ integers. The $i$ 'th integer denotes the number of marble of color $i$. The number of marbles of any color is within the range $0 . .7$ (inclusive). The color of the marbles are numbered from 1 to $n$.

## Output

For each test case output contains one integer in one line denoting the number of ways you can arrange the marbles.

## Sample Input

6
233
244
266
3345
3456
42345

## Sample Output

0
8
12
174
1234
1440

