

Imagine an infinite table with rows and columns numbered using the natural numbers. The following figure shows a procedure to traverse such a table assigning a consecutive natural number to each table cell:

	0	1	2	3	4	5	6	7	8
0	0	2	5	9	14	20	27	35
1	1	4	8	13	19	26	34	
2	3	7	12	18	25	33		
3	6	11	17	24	32			
4	10	16	23	31				
5	15	22	30					
6	21	29						
7	28							
8	...								

This enumeration of cells can be used to represent complex data types using natural numbers:

- A pair of natural numbers (i, j) is represented by the number corresponding to the cell in row i and column j . For instance, the pair $(3, 2)$ is represented by the natural number 17; this fact is noted by $P_2(3, 2) = 17$.
- The pair representation can be used to represent n -tuples. A triplet (a, b, c) is represented by $P_2(a, P_2(b, c))$. A 4-tuple (a, b, c, d) is represented by $P_2(a, P_2(b, P_2(c, d)))$. This procedure can be generalized for an arbitrary n :

$$P_n(a_1, \dots, a_n) = P_2(a_1, P_{n-1}(a_2, \dots, a_n)),$$

where P_n denotes the n -tuple representation function, $n \geq 2$. For example $P_3(2, 0, 1) = 12$.

- A list of arbitrary length $\langle a_1, \dots, a_n \rangle$ is represented by

$$L(\langle a_1, \dots, a_n \rangle) = P_2(n, P_n(a_1, \dots, a_n)).$$

For example, $L(\langle 0, 1 \rangle) = 12$.

The Association of Convex Makers (ACM) uses this clever enumeration scheme in a polygon representation system. The system can represent a polygon, defined by integer coordinates, using a natural number as follows: given a polygon defined by a vertex sequence $\langle (x_1, y_1), \dots, (x_n, y_n) \rangle$ assign the natural number:

$$L(\langle P_2(x_1, y_1), \dots, P_2(x_n, y_n) \rangle).$$

ACM needs a program that, given a natural numbers that represents a polygon, calculates the area of the polygon. It is guaranteed that the given polygon is a simple one, i.e. its sides do not intersect.

As an example of the problem, the triangle with vertices at $(1, 1)$, $(2, 0)$ and $(0, 0)$ is codified with the number 2141. The area of this triangle is 1.

Input

The input consists of several test cases. Each test case is given in a single line of the input by a natural number representing a polygon. The end of the test cases is indicated with '*'.

Output

One line per test case, preserving the input order. Each output line contains a decimal number telling the area of the corresponding encoded polygon. Areas must be printed with 1 decimal place, truncating less significative decimal places.

Sample Input

```
2141
206
157895330
*
```

Sample Output

```
1.0
0.5
1.0
```