All the veteran contestants know that the number of occurrences of prime number $p$ in factorial $n(n!)$ can be found using the formula below:

$$
f(n, p)=\left\lfloor\frac{n}{p}\right\rfloor+\left\lfloor\frac{n}{p^{2}}\right\rfloor+\left\lfloor\frac{n}{p^{3}}\right\rfloor+\left\lfloor\frac{n}{p^{4}}\right\rfloor+\cdots
$$

This formula can effectively be used to find the number of trailing zeroes of $n$ !, in any number system. Let $z(n, b)$ be a function which denotes the number of trailing zeroes of $n$ !, in number system $b$. A new function $\operatorname{soz}(n)$ is defined as

$$
\operatorname{soz}(n, b)=\sum_{i=1}^{n} z(i, b)
$$

While the computation of $z(n, b)$ is quite easy, the computation of $\operatorname{soz}(n)$ is not that efficient in a straight forward way. Given the value of $n$ and the base $b$, your job is to find out the value of $\operatorname{soz}(n, b)$.

## Input

The input file contains at most 1200 lines of inputs. Each line contains two integers $n$ ( $0 \leq n \leq$ $4000000000)$ and $b(1<b \leq 100000)$. Here the base $b$ is a square free number. A square free number is a number which is not divisible by any square number other than 1 . So the value of $b$ can be 10 but the value of $b$ cannot be 24 , as 24 is divisible by a square 4 . Input is terminated by a line where the value of $n$ and $b$ is zero. This line should not be processed.

## Output

For each line of input except the last one produce one line of output. This line contains an integer which denotes the value of $\operatorname{soz}(n, b)$. You can assume that the output integers will fit in 64 -bit signed integers.

## Sample Input

1010
1014
1000000010
00

## Sample Output

7
4
12499951484374

