Michael The Kid receives an interesting game set from his grandparent as his birthday gift. Inside the game set box, there are n tiling blocks and each block has a form as follows:


Figure 1: Michael's Tiling Block with parameters (3,2).
Each tiling block is associated with two parameters $(l, m)$, meaning that the upper face of the block is packed with $l$ protruding knobs on the left and $m$ protruding knobs on the middle. Correspondingly, the bottom face of an $(l, m)$-block is carved with $l$ caving dens on the left and $m$ dens on the middle.

It is easily seen that an $(l, m)$-block can be tiled upon another $(l, m)$-block. However, this is not the only way for us to tile up the blocks. Actually, an $(l, m)$-block can be tiled upon another $\left(l^{\prime}, m^{\prime}\right)$-block if and only if $l \geq l^{\prime}$ and $m \geq m^{\prime}$.

Now the puzzle that Michael wants to solve is to decide what is the tallest tiling blocks he can make out of the given $n$ blocks within his game box. In other words, you are given a collection of $n$ blocks $B=\left\{b_{1}, b_{2}, \ldots, b_{n}\right\}$ and each block $b_{i}$ is associated with two parameters $\left(l_{i}, m_{i}\right)$. The objective of the problem is to decide the number of tallest tiling blocks made from $B$.

## Input

Several sets of tiling blocks. The inputs are just a list of integers. For each set of tiling blocks, the first integer $n$ represents the number of blocks within the game box. Following $n$, there will be $n$ lines specifying parameters of blocks in $B$; each line contains exactly two integers, representing left and middle parameters of the $i$-th block, namely, $l_{i}$ and $m_{i}$. In other words, a game box is just a collection of $n$ blocks $B=\left\{b_{1}, b_{2}, \ldots, b_{n}\right\}$ and each block $b_{i}$ is associated with two parameters $\left(l_{i}, m_{i}\right)$.

Note that $n$ can be as large as 10000 and $l_{i}$ and $m_{i}$ are in the range from 1 to 100 . An integer $n=0$ (zero) signifies the end of input.

## Output

For each set of tiling blocks $B$, output the number of the tallest tiling blocks can be made out of $B$. Output a single star ' $*$ ' to signify the end of outputs.

## Sample Input

3
32
11
23
5
42
24
33
11
55
0

## Sample Output

