Abul is not the best student in his class; neither is he the best player in his team. Not that he is bad; he is really good, but unfortunately not the best.

Last semester our "not quite the best" Abul took a course on algorithms. In one of the assignments he was required to find the shortest path from a given vertex $x$ to another vertex $y$ in a weighted directed graph. As you have probably already guessed, he rarely managed to find the shortest path; instead he always ended up finding the $k$-th $(2 \leq k \leq 10)$ shortest path from $x$ to $y$. If he was fortunate enough and the shortest $k$ paths from $x$ to $y$ had the same length, he was given credit for his solution.

For example, for the graph on the right, Abul was asked to find the shortest path from vertex $\mathbf{5}$ to vertex $\mathbf{2}$. The shortest $\mathbf{7}$ paths from vertex $\mathbf{5}$ to vertex $\mathbf{2}$ are listed below in non-decreasing order of length. For this graph Abul was able to find the 5 -th shortest path which could be either $5 \rightarrow 4 \rightarrow 3 \rightarrow 2 \rightarrow 5 \rightarrow 1 \rightarrow 2$ or
 $5 \rightarrow 1 \rightarrow 2 \rightarrow 5 \rightarrow 4 \rightarrow 3 \rightarrow 2$, each with length 15 .

$$
\begin{array}{lc}
\text { Path } & \text { Lengt } \\
5 \rightarrow 1 \rightarrow 2 & 5 \\
5 \rightarrow 4 \rightarrow 3 \rightarrow 2 & 6 \\
5 \rightarrow 1 \rightarrow 2 \rightarrow 5 \rightarrow 1 \rightarrow 2 & 14 \\
5 \rightarrow 4 \rightarrow 3 \rightarrow 2 \rightarrow 5 \rightarrow 1 \rightarrow 2 & 15 \\
5 \rightarrow 1 \rightarrow 2 \rightarrow 5 \rightarrow 4 \rightarrow 3 \rightarrow 2 & 15 \\
5 \rightarrow 4 \rightarrow 3 \rightarrow 2 \rightarrow 5 \rightarrow 4 \rightarrow 3 \rightarrow 2 & 16 \\
5 \rightarrow 1 \rightarrow 2 \rightarrow 5 \rightarrow 1 \rightarrow 2 \rightarrow 5 \rightarrow 1 \rightarrow 2 & 23
\end{array}
$$

Given a description of the graph, source vertex $x$, target vertex $y$, and the value of $k$, you need to find out the length of the path Abul computed. You may assume that there exists at least one path from $x$ to $y$ in the given graph.

## Input

The input may contain multiple test cases.
The first line of each test case contains two integers $n(2 \leq n \leq 100)$ and $m(1 \leq m \leq 1000)$ giving respectively the number of vertices, and the number of edges in the graph. Each vertex in the graph is identified by a unique integer in $[1, n]$. The second line of the test case contains the values of $x, y$ and $k(1 \leq x, y \leq 100, x \neq y, 2 \leq k \leq 10)$. Each of the next $m$ lines contains three integers $u, v$ and $l$ $(1 \leq u, v \leq 100,0 \leq l \leq 10000)$ specifying a directed edge of length $l$ from vertex $u$ to vertex $v$.

The input terminates with two zeros for $n$ and $m$.

## Output

For each test case in the input output a line containing an integer giving the length of the $k$-th shortest path in the graph. If the graph does not have at least $k$ paths from $x$ to $y$, output a ' -1 ' instead.

## Sample Input

33
134
133
124
235
56
525
122
254
323
431
513
542
22
123
125
222
00

## Sample Output

