A domino is a rectangular tile of size $2 \times 1$, where each end has a certain number of dots (between 0 and 6 ). A standard double-six domino set contains 28 different dominoes, namely precisely all possible combinations of the number of dots on both ends.

A quadrille is a layout of the standard double-six domino set so that they form the following pattern: the layout can be partitioned into $142 \times 2$ squares such that the number of dots in the 4 tiles in a square are the same. The picture below shows an example of a quadrille.


Given the shape of the layout, determine how many (if any) different quadrilles exist with that shape. Two quadrilles are considered different if one of them is not just a permutation of the number of dots in each $(2 \times 2)$ square (there are, of course, $7!=5040$ such permutations). Note however that two different layouts may yield the same number of dots in each $(2 \times 2)$ square (this is demonstrated by the second sample below). Quadrilles that are horizontal and/or vertical mirrors of each other are considered different.

## Input

The first line in the input will contain the number of shapes (no more than 10). The shapes will then be described in $12 \times 8$ matrices with the characters ' $X$ ' (marking areas which a domino must cover) and '.' (marking areas which should not be covered by a domino) - see the sample input for the exact format. Each shape will be preceeded by a blank line. You may assume that each shape can be partitioned into exactly $14(2 \times 2)$ squares.

## Output

For each shape, output a single integer on a line by itself: the number of different quadrilles that have this shape.

## Notes:

Sample 1: The two solutions are horizontal mirrors of each other.
Sample 2: Among the solutions, there are several layouts that give the same number of dots in each $(2 \times 2)$ square. For instance, there are two different ways to place the dominoes so that the quadrille below appears. Both these ways should be counted.
. . 00112233 .
. . 00112233.
. . . 445500 .
. . . 445500 .
. . 661166 .
.... 661166 .
. 22443355
... 22443355 .

## Sample Input

2
. $\operatorname{xxxxxx....~}$
. $\mathrm{XXXXXX} . . .$.
XXXXXXXX...
xxxxxxxx...
XXXXXX....
XXXXXXX....
XXXXXXXX....
XxXXXXXX....
... Xxxxxxxxx.
... $x x x x x x x x$.
....XXXXXX.
...xxxxxx.
... xxxxxx.
...xxxxxx.
...XXXXXXXX.
. . . XxXXXXXX.

## Sample Output

