It has been said that a watch that is stopped keeps better time than one that loses 1 second per day. The one that is stopped reads the correct time twice a day while the one that loses 1 second per day is correct only once every 43,200 days. This maxim applies to old fashioned 12 -hour analog watches, whose hands move continuously (most digital watches would display nothing at all if stopped).

Given two such analog watches, both synchronized to midnight, that keep time at a constant rate but run slow by k and m seconds per day respectively, what time will the watches show when next they have exactly the same time?

## Input

Input consists of a number of lines, each with two distinct non-negative integers $k$ and $m$ between 0 and 256 , indicating the number of seconds per day that each watch loses.

## Output

For each line of input, print $k, m$, and the time displayed on each watch, rounded to the nearest minute. Valid times range from 01:00 to 12:59.

## Sample Input

12
07

## Sample Output

12 12:00
07 10:17

